Name	solution		

Consider an ultrasound wave at 345000 Hz in air.

a) What is the wavelength of this wave?

## Start with $S=f.\lambda$

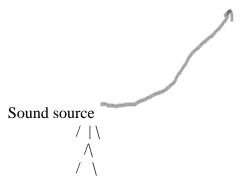
Using algebra to "solve for lambda", you see that  $\lambda = S/f = (340m/s)/(345000 1/s)$ .

The units simplify to meters (m) and the number you can leave as the ratio.

$$\lambda = 340/345000 \ (m)$$

b) Use the ray theory to show what happens to sound in a normal atmosphere (The air temperature is higher near the ground). In other words, draw a typical ray on the sketch.

The speed of sound is slower further up so the rays refract upward.



Ground level

Typical speed of sound in air: 340m/s

$$f = \frac{1}{2 \cdot \pi} \sqrt{\frac{k}{m}}$$
  $T = \frac{1}{f}$   $Z = \sqrt{F \cdot W}$   $S = f \cdot \lambda$   $S = \sqrt{\frac{F}{W}}$ 

$$T = \frac{1}{f}$$

$$Z = \sqrt{F \cdot W}$$

$$S=f.\lambda$$

$$S = \sqrt{\frac{F}{W}}$$

$$\frac{f_{source}}{f_{air}} = 1 - \frac{v}{S}$$

$$\frac{f_{source}}{f_{air}} = 1 - \frac{v_s}{S} \qquad \frac{f_{receiver}}{f_{air}} = 1 + \frac{v_o}{S}$$