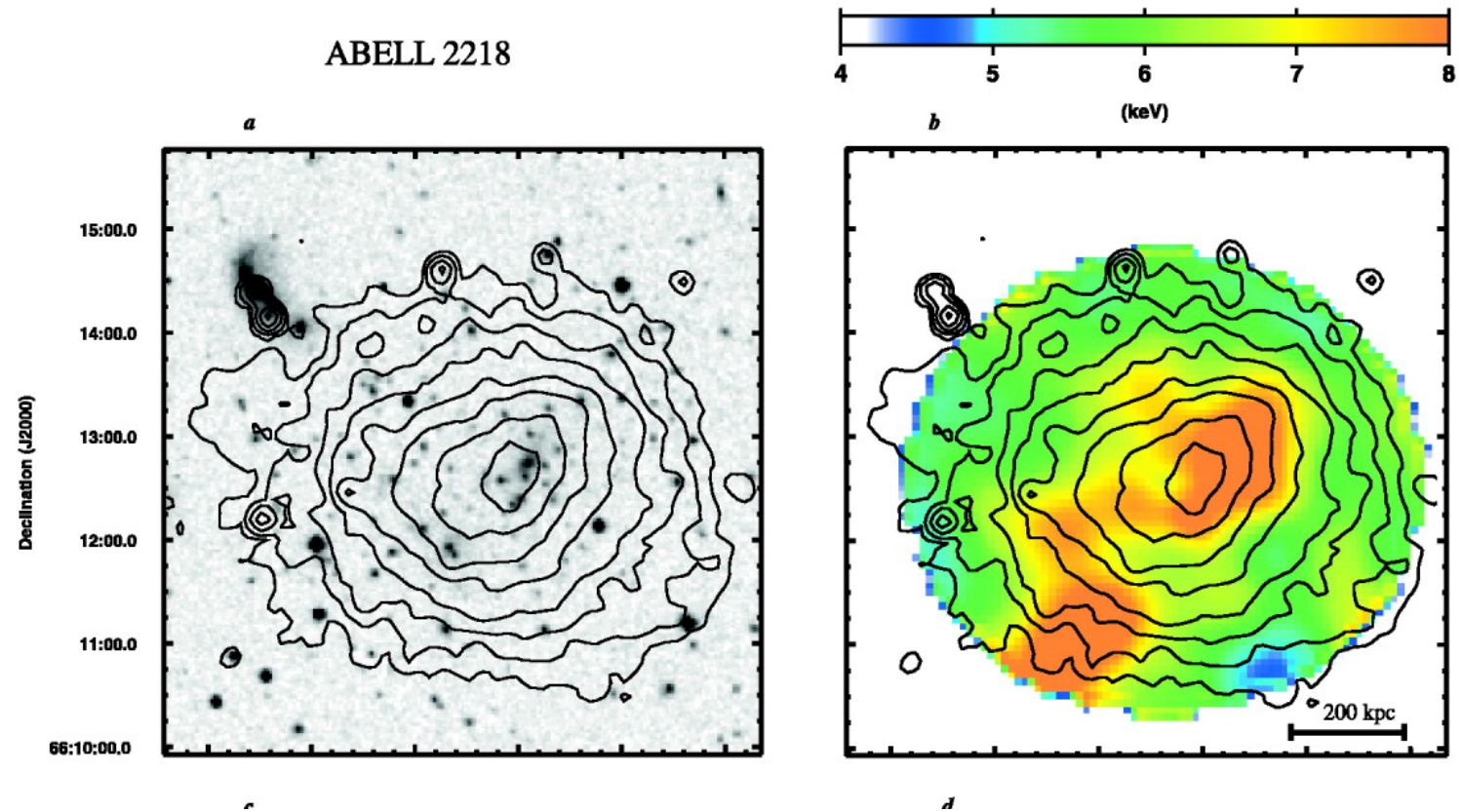


# Outline

- Go over problem 7.2
- Hot gas in clusters
- Sunyaev-Zeldovich effect

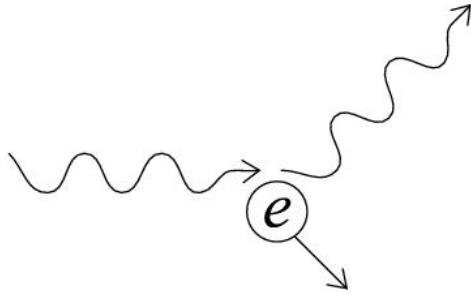
# Hot Gas in Clusters



- Hot gas ( $kT \sim$  several keV) comprises most of baryonic matter in rich clusters.
- Gas is sufficiently hot that atoms are ionized – plasma of nuclei and electrons
- Typical electron energy,  $kT \sim$  several keV

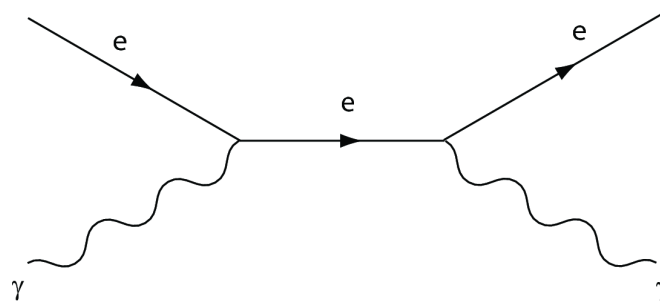
# Electron-photon scattering

- Thomson scattering cross section is valid for a low energy photon scattering on a low energy free electron,  $E \ll m_e c^2$ , usually taken to be initially at rest.



$$\sigma_T = \frac{8\pi}{3} \left( \frac{e^2}{m_e c^2} \right)^2 = 6.7 \times 10^{-25} \text{ cm}^2$$

- Compton scattering describes same process, but with no restriction on energy (initial or final or photon or electron).
- Energy can transfer either way.

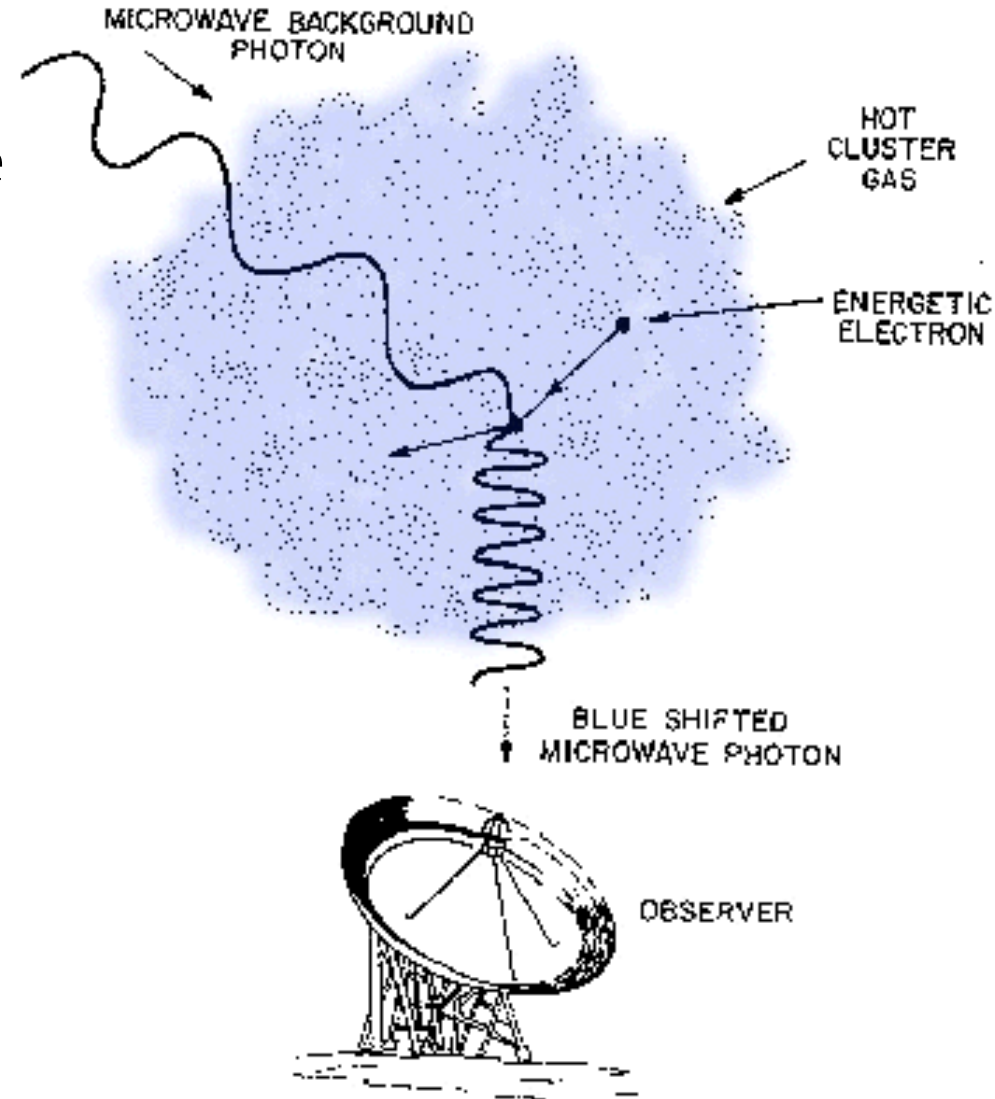
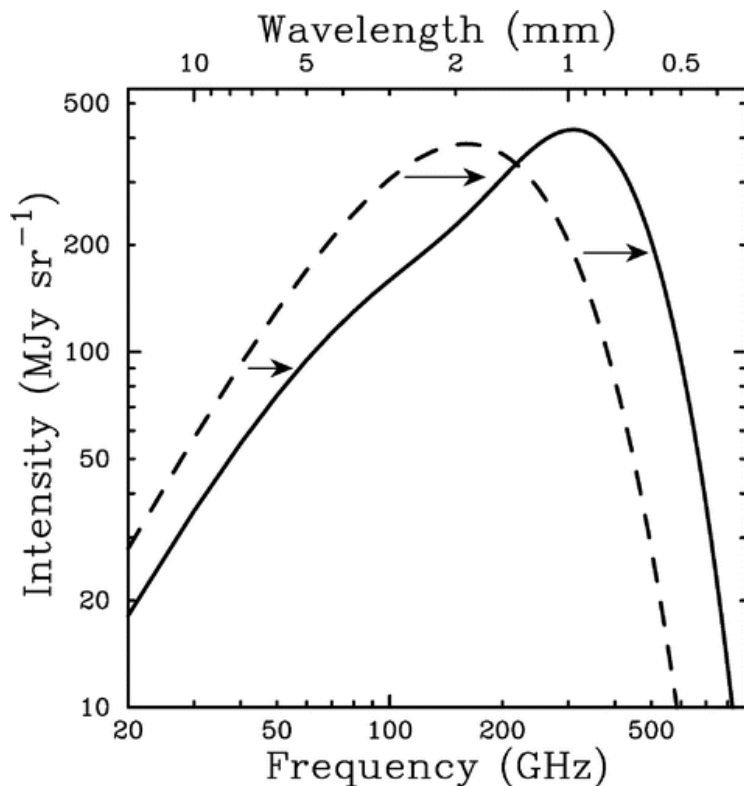


# Inverse-Compton Scattering

- Inverse-Compton scattering is when a low energy photon scatters off a higher energy electron.
- If we think about cosmic microwave background photons ( $T \sim 3\text{K}$ ) scattering off of cluster gas electrons ( $T \sim 10^7\text{ K}$ ), then energy will transfer from the electrons to the photons, “boosting” them to higher energies.
- This is still in the non-relativistic regime,  $E \ll m_e c^2$ , so we could call this inverse-Thomson scattering, but no one does.

# Sunyaev Zel'dovich Effect

- Cosmic microwave photons scatter on electrons in hot cluster gas.
- This changes the CMB spectrum we see from near the cluster.



# Sunyaev Zel'dovich Effect

- The change in the CMB spectrum is proportional to the integral of  $nkT$  along the line of sight  $M = \int nkT dl$ , where  $n$  is the electron density in the cluster and  $T$  is the electron temperature. If we approximate  $nkT$  as uniform, then  $M \sim nL$ .
- X-ray emission from the gas occurs when two charged particles interact leading to either scattering or recombination. Thus, the X-ray luminosity is proportional to  $n^2$ . If we consider the luminosity along a line of sight through the cluster then  $X \sim \int n^2 dl \sim n^2 L$ .
- This enables us to estimate the cluster size  $L \sim M^2/X$ . Do on board.
- Comparing with the cluster angular size, gives the distance. Note that one assumes the cluster gas is spherically symmetric.
- SZ effect provides cluster distances independent of the distance ladder.

# Homework

For next class: problem 7.3