

# Detecting high energy photons

- Interactions of photons with matter
- Properties of detectors (with examples)

# Interactions of high energy photons with matter

- Cross section/attenuation length/optical depth
- Photoelectric absorption
- Compton scattering
- Electron-positron pair production

# Cross section

Cross-section per atom (or per electron) =  $\sigma$

Attenuation length  $l = 1/n\sigma$ , where  $n$  is density of atoms

Attenuation of beam  $I = I_0 \exp(-x/l)$

For materials, we often use the attenuation coefficient,  $\mu$ , which is the cross section per mass ( $\text{cm}^2/\text{g}$ )

Then attenuation length  $l = 1/n\sigma = 1/\mu\rho$ , where  $\rho$  is density

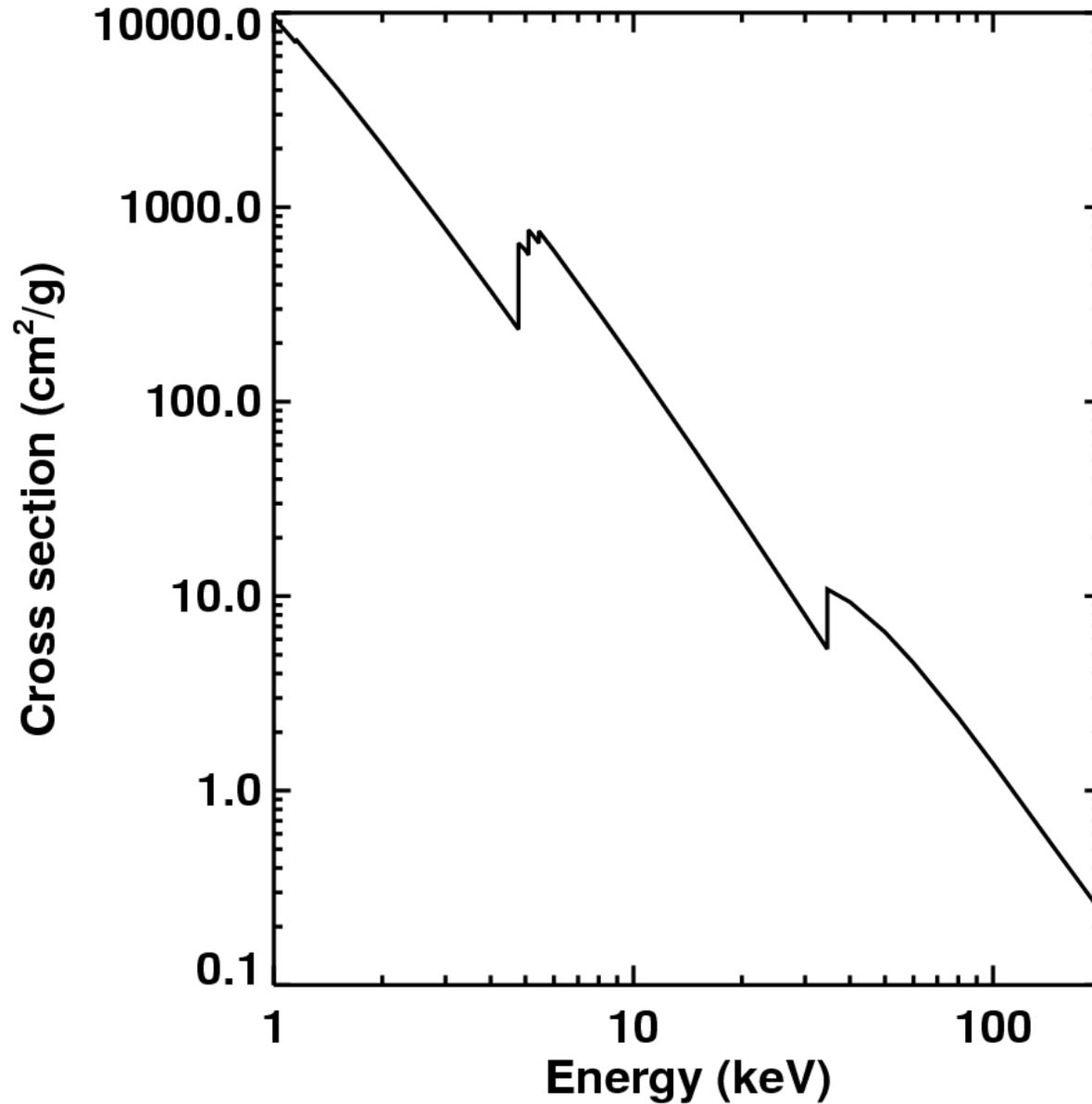
Useful web site for photon cross sections is:

<http://physics.nist.gov/PhysRefData/Xcom/Text/XCOM.html>

# Three interactions

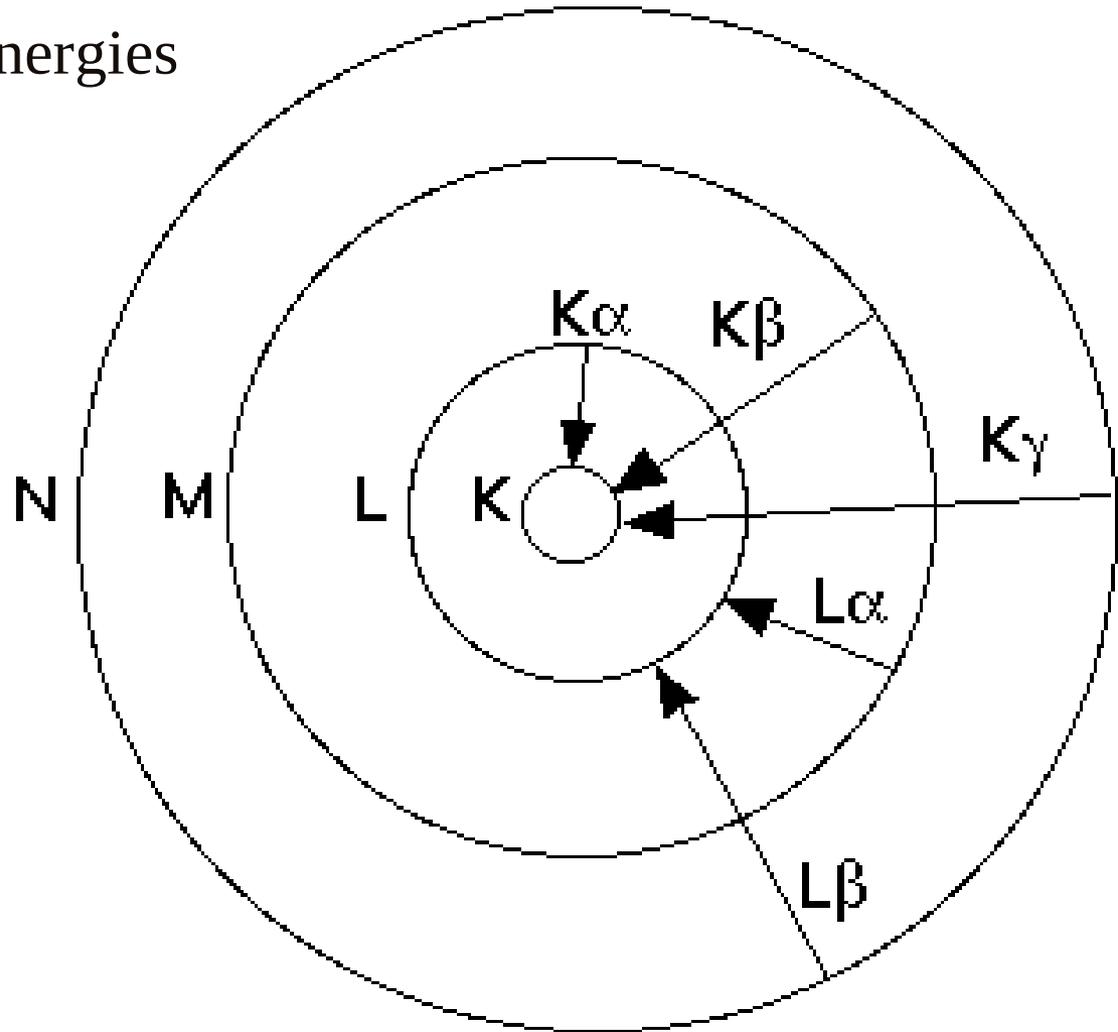
- Photoelectric absorption
  - Photon is absorbed by atom
  - Electron is excited or ejected
- Compton scattering
  - Photon scatters off an electron
- Pair production
  - Photon interacts in electric field of nucleus and produces an  $e^+ e^-$  pair

# Photoelectric cross section in Xe



# Photoelectric absorption

“Edges” occur at the characteristic electronic transition energies



When in emission, elements produce characteristic lines at these energies

# Photoelectric absorption

The photon electric cross-section scales with  $Z^5$

This means that high-Z detectors are more efficient at high energies.

Above the highest edge, the cross-section scales roughly as  $(\text{energy})^{-3}$ .

This means that photo-absorption detectors rapidly become inefficient at high energies.

# Interstellar absorption

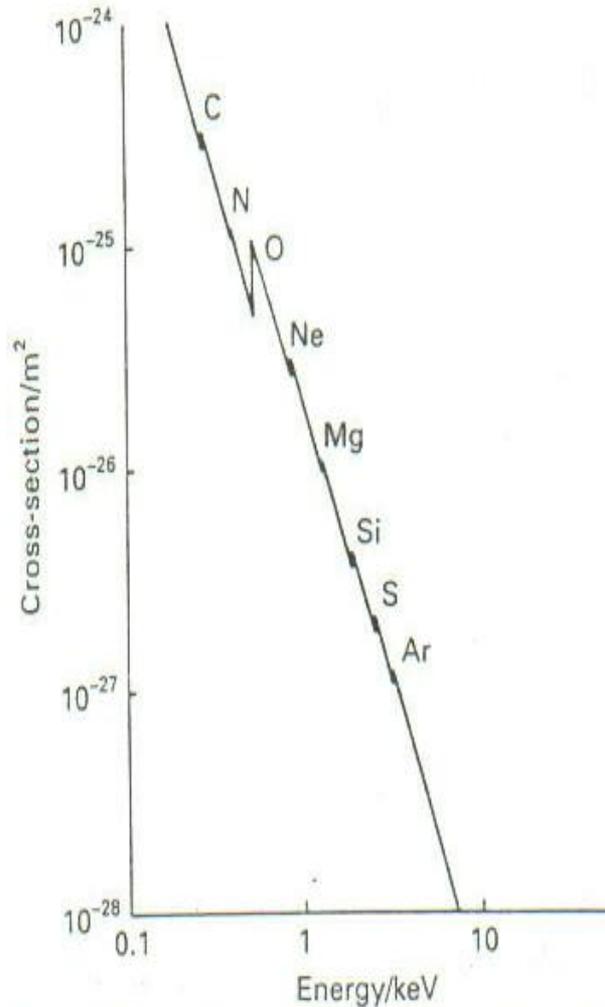
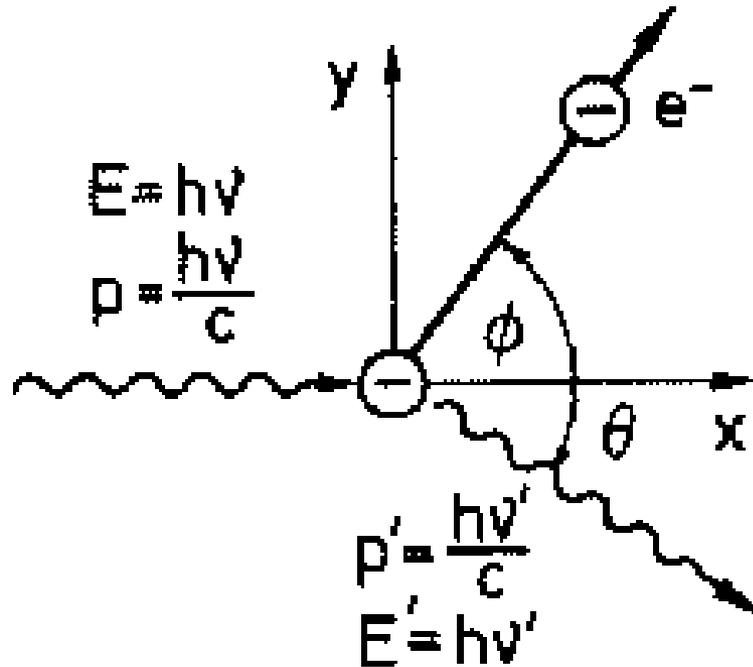


Figure 4.2. The absorption cross-section for interstellar gas with typical cosmic abundances of the chemical elements (see Section 9.2.1). The discontinuities in the absorption cross-section as a function of energy are associated with the K-shell absorption edges of the elements indicated. The optical depth of the medium is given  $\tau = \int \sigma_x(E) N_H dl$  where  $N_H$  is the number density of hydrogen atoms. (After R. H. Brown and R. J. Gould (1970). *Phys. Rev.*, **D1**, 2252.)

# Compton scattering

$$E = mc^2, p = mv$$



$$E' = E \left[ 1 + \frac{E}{mc^2} (1 - \cos\theta) \right]^{-1}$$

# Compton scattering

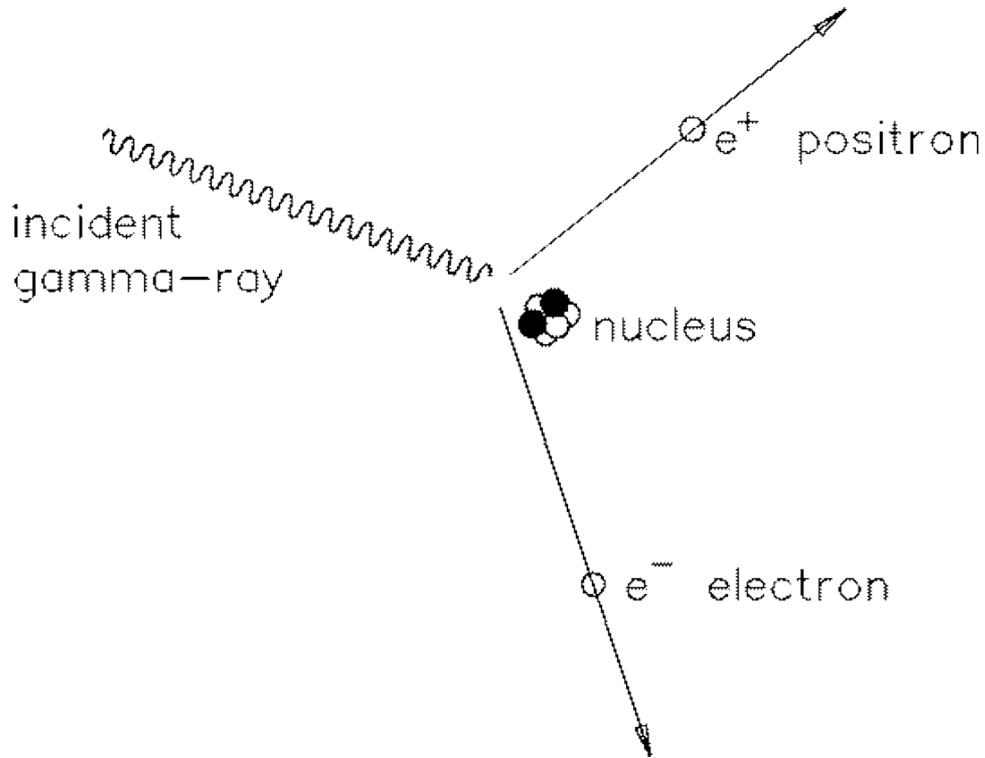
$$E \ll mc^2 \Rightarrow \sigma = \sigma_T = 6.653 \times 10^{-29} m^2$$

$$E \gg mc^2 \Rightarrow \sigma = \frac{3}{8} \sigma_T \frac{E}{mc^2} \ln \left( \frac{2E}{mc^2} + \frac{1}{2} \right)$$

For an electron at rest, the photon loses energy.

A moving electron can increase the photon energy. This is “inverse-Compton” scattering.

# Pair Production

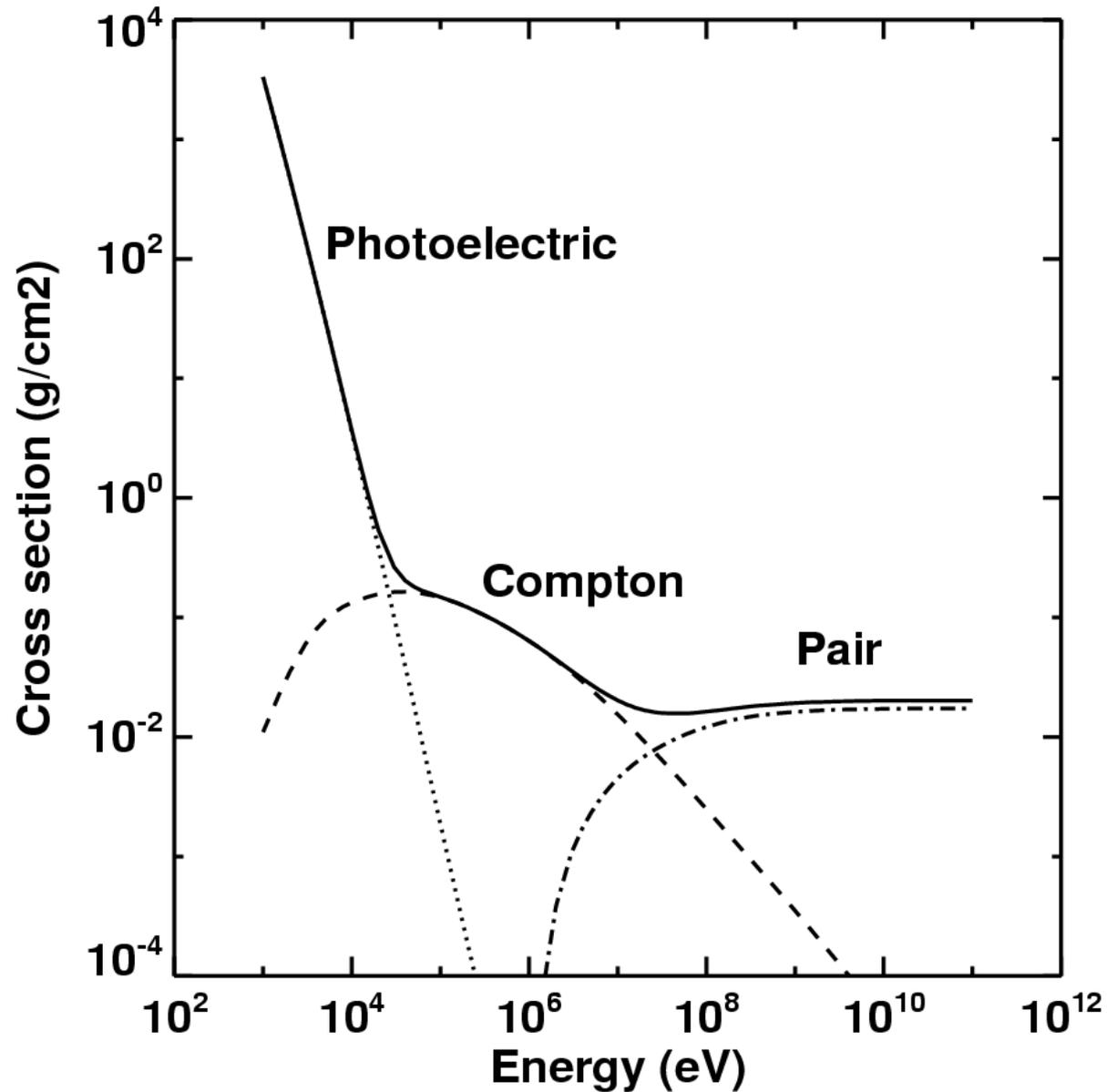


Nucleus is needed for process to conserve momentum and energy

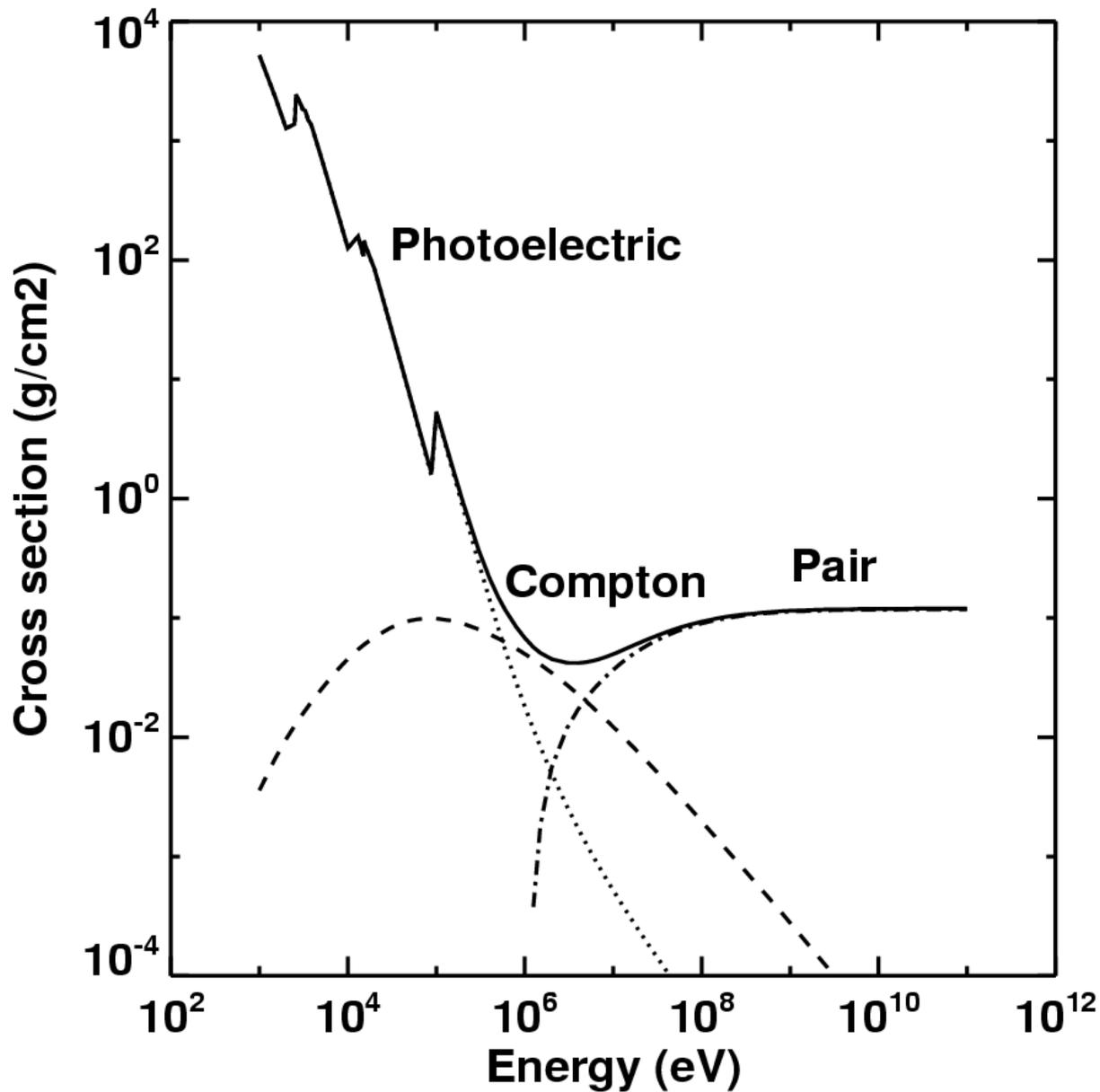
$$\sigma \propto Z^2$$

Only process with cross section which never decreases with energy, dominates at high energies

# Photon Cross Sections in Nitrogen



# Photon Cross Sections in Lead



# Detection of X-Rays

- Detector characteristics
- Proportional counters
- Microchannel plates
- Solid state detectors
- Microcalorimeters

# Detector Characteristics

- Sensitivity
- Quantum efficiency
- Energy resolution
- Time resolution
- Position resolution

# Sensitivity

- Fluctuations in background signal:

$$\Delta N = \sqrt{t(B_1 + \Omega AB_2)}$$

- $B_1$  is particle background
- $\Omega$  is detector solid angle
- $A$  is detector effective area
- $\Omega AB_2$  is rate of X-ray background
- $t$  is integration time
- $S$  is source flux (counts  $\text{cm}^{-2} \text{s}^{-1}$ )

# Sensitivity

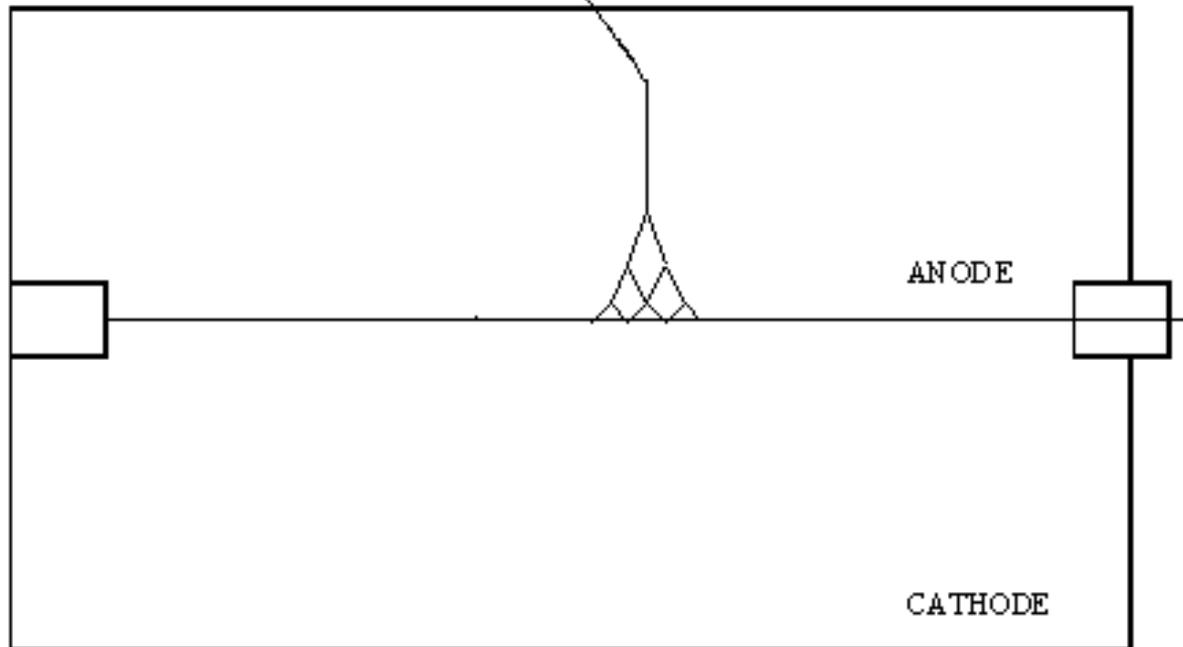
- Signal to noise ratio of source detection

$$\sigma_n = \frac{SA_t}{\sqrt{B_1 t + \Omega A B_2 t}}$$

- Limiting sensitivity

$$S_{\min} = \sigma_n \sqrt{\frac{B_1 / A + \Omega B_2}{At}}$$

# Proportional Counter



X-ray enters counter, interacts with gas emitting photoelectrons which drift toward anode

E field near anode is high, electrons are accelerated and ionized additional atoms, original charge is multiplied

Output is one electrical pulse per interacting X-ray

# Energy Resolution

Number of initial photoelectrons  $N = E/w$ , where  $E$  = energy of X-ray,  $w$  = average ionization energy (26.2 eV for Ar, 21.5 eV for Xe)

Creation of photoelectrons is a random process, number fluctuates

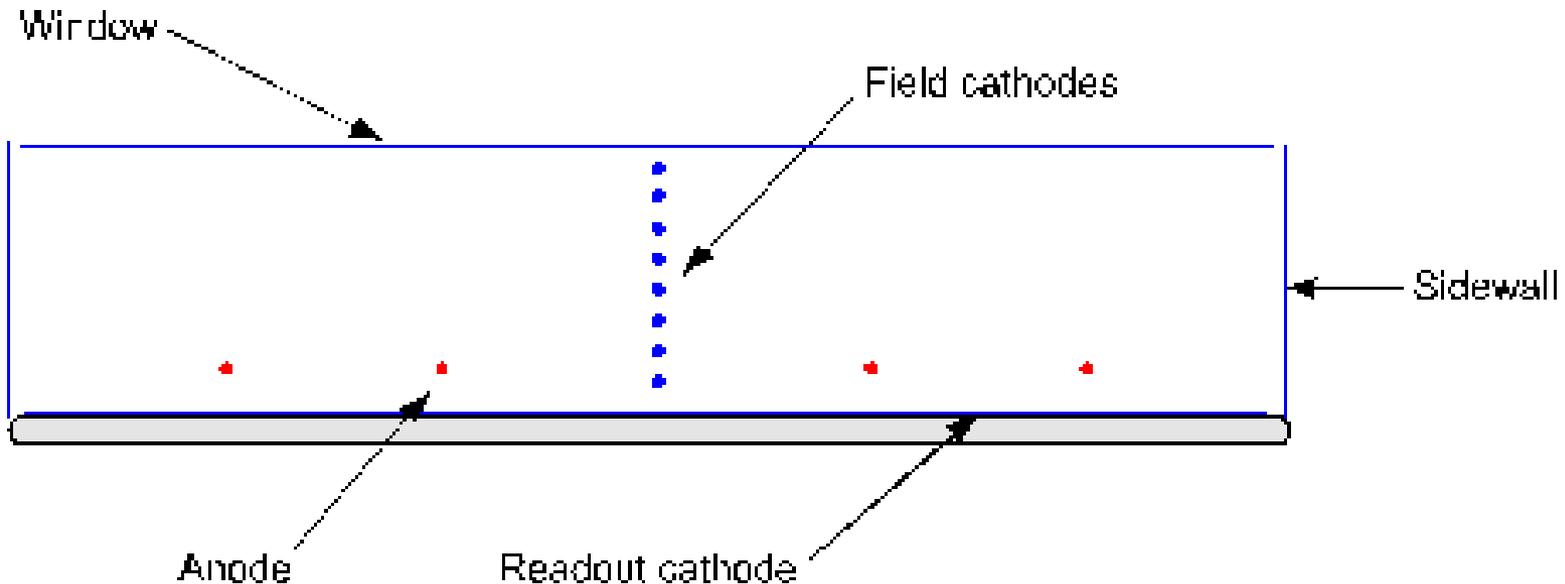
Variance of  $N$ :  $\sigma_N^2 = FN$ , where  $F$  is the “Fano” factor, fluctuations are lower than expected from Poisson statistics ( $F = 0.17$  for Ar, Xe)

Energy resolution (FWHM) is

$$\frac{\Delta E}{E} = 2.35 \frac{\sigma_N}{N} = 2.35 \sqrt{\frac{wF}{E}}$$

Energy resolution is usually worse because of fluctuations in multiplication

# Position Sensing



Need to have drift E field which is parallel

Readout anodes or cathodes are segmented or crossed wires are used

Resolution is limited by diffusion of electron cloud

Time resolution is limited by drift time

# SXRP Proportional Counter

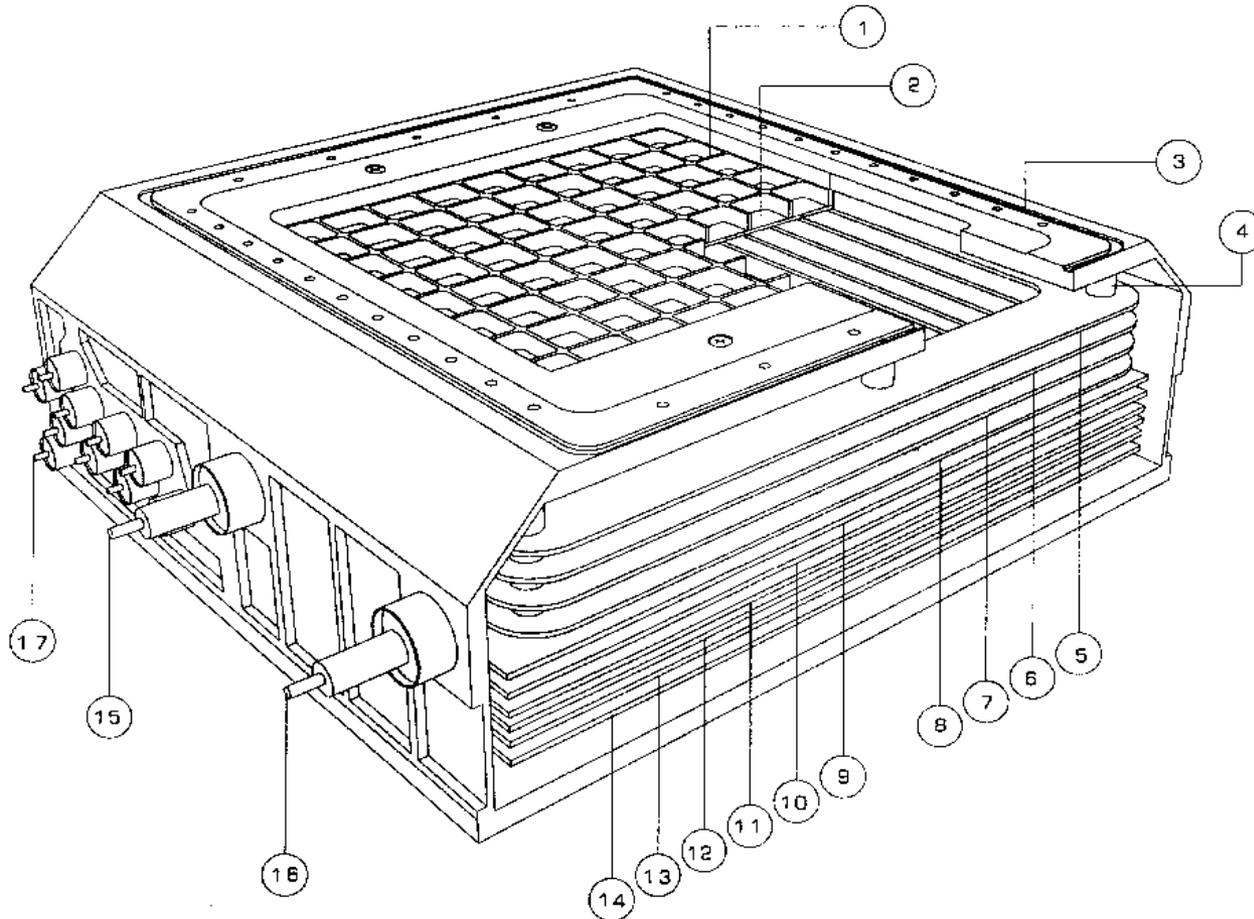


Fig. 2. Drawing of one of the two high-energy proportional counters. The numbers label the following components: (1) Titanium support structure; (2) 150  $\mu\text{m}$  Beryllium window; (3) O-ring groove to allow evacuation of the front part of the detector for calibration purposes; (4) Vespel frame spacers; (5-8) Aluminium field forming rings; (9) cathode alumina wire frame (50  $\mu\text{m}$  diameter gold plated tungsten wire having a pitch of 0.85 mm); (10) anode alumina wire frame (20  $\mu\text{m}$  diameter gold plated tungsten wire having a pitch of 2.54 mm); (11) Plane W&S cathode frame (electroplated copper on kapton); (12) cathode alumina wire frame to prevent charge build-up on the anticoincidence region; (13) anti-anode alumina wire frame (as the anode one); (14) bottom alumina cathode wire frame; (15-16) high-voltage feedthroughs; (17) low-voltage feedthroughs (for the cathode).

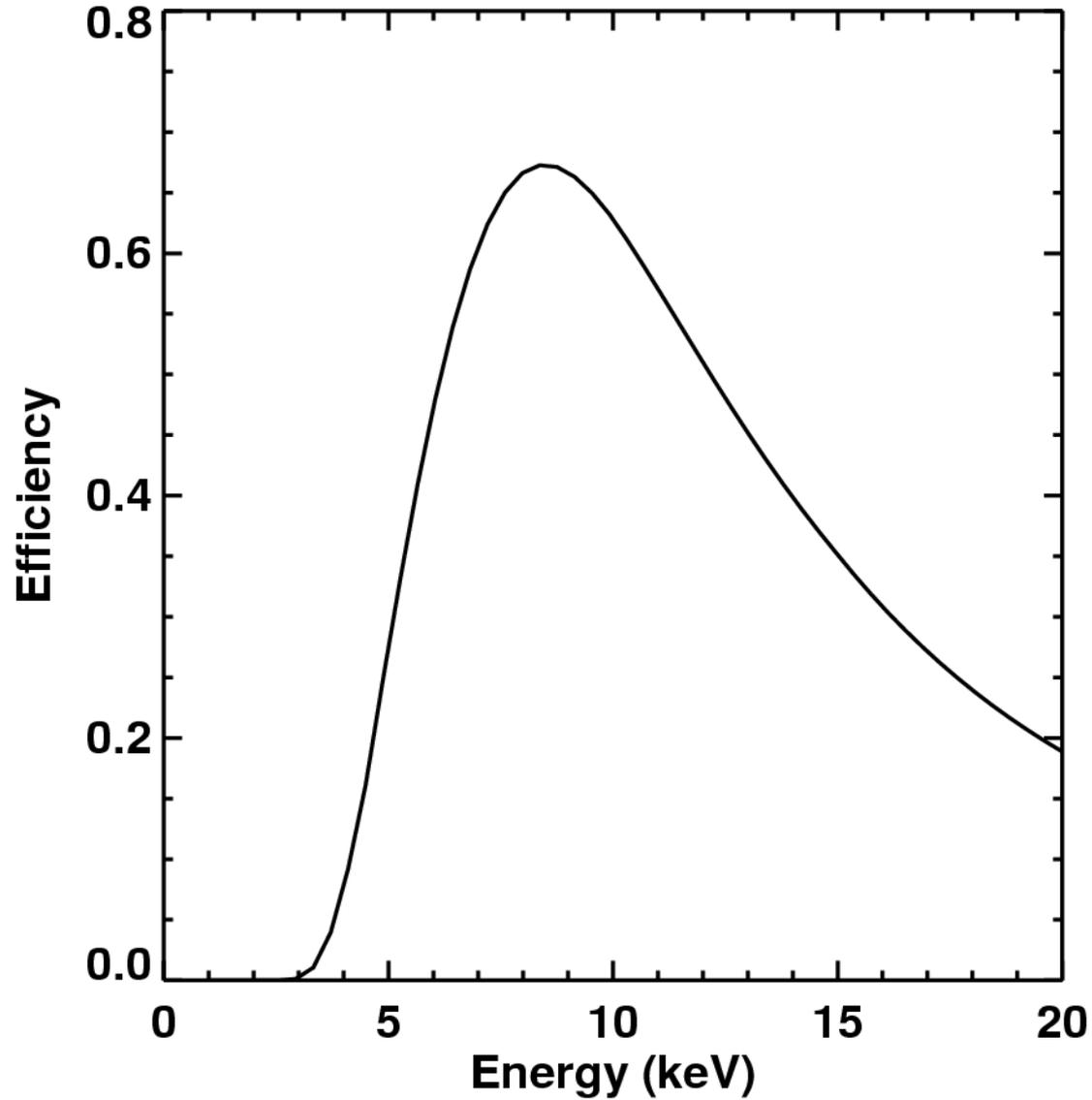
# Quantum Efficiency

To be detected, X-ray must pass through window without being absorbed and then be absorbed in gas

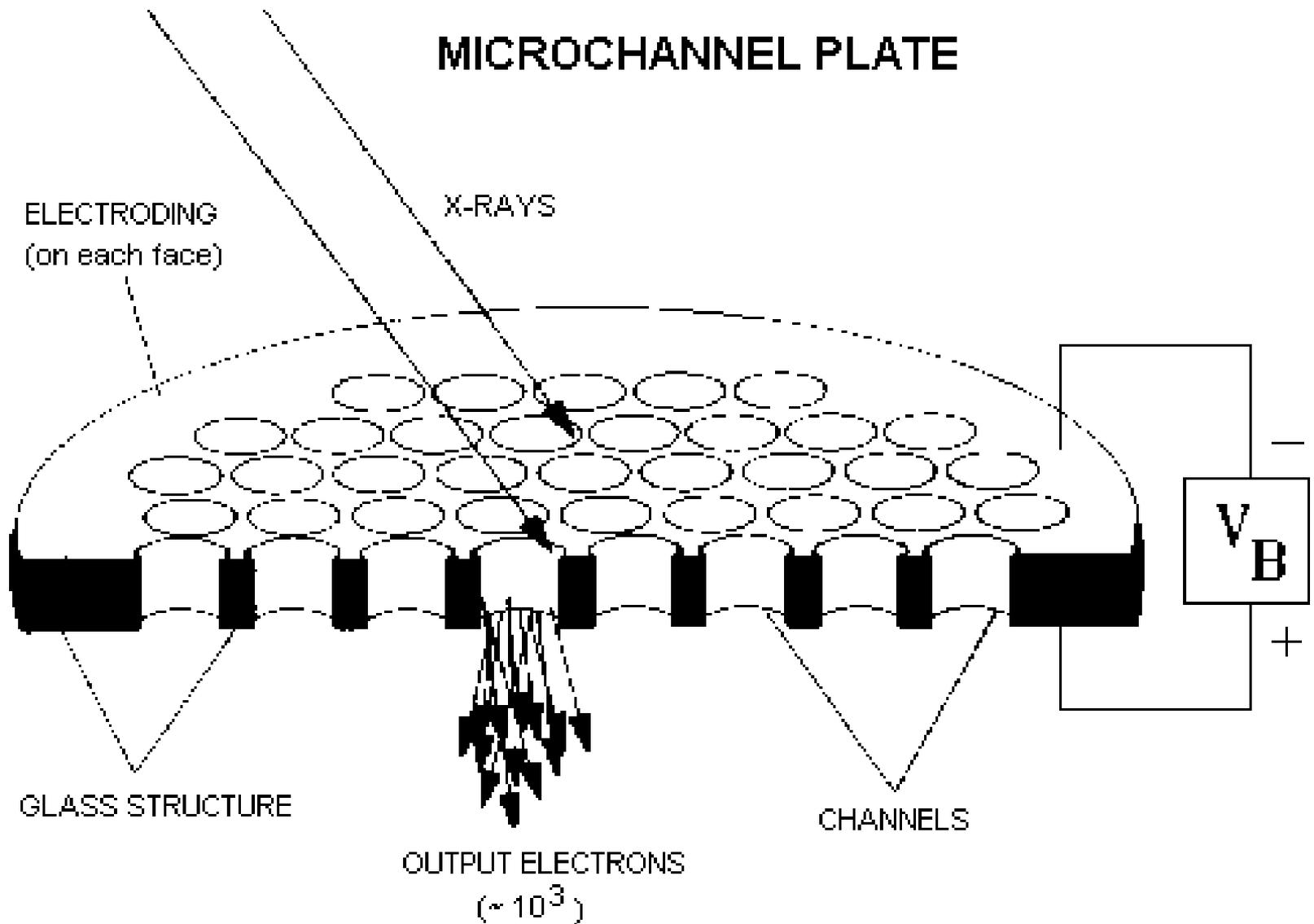
$$Q = T_w \exp\left(-\frac{t}{\lambda_w}\right) \left[1 - \exp\left(-\frac{d}{\lambda_g}\right)\right]$$

$T_w$  is geometric open fraction of window,  $t$  is window thickness,  $d$  is gas depth,  $\lambda$ 's are absorption length for window/gas (energy dependent)

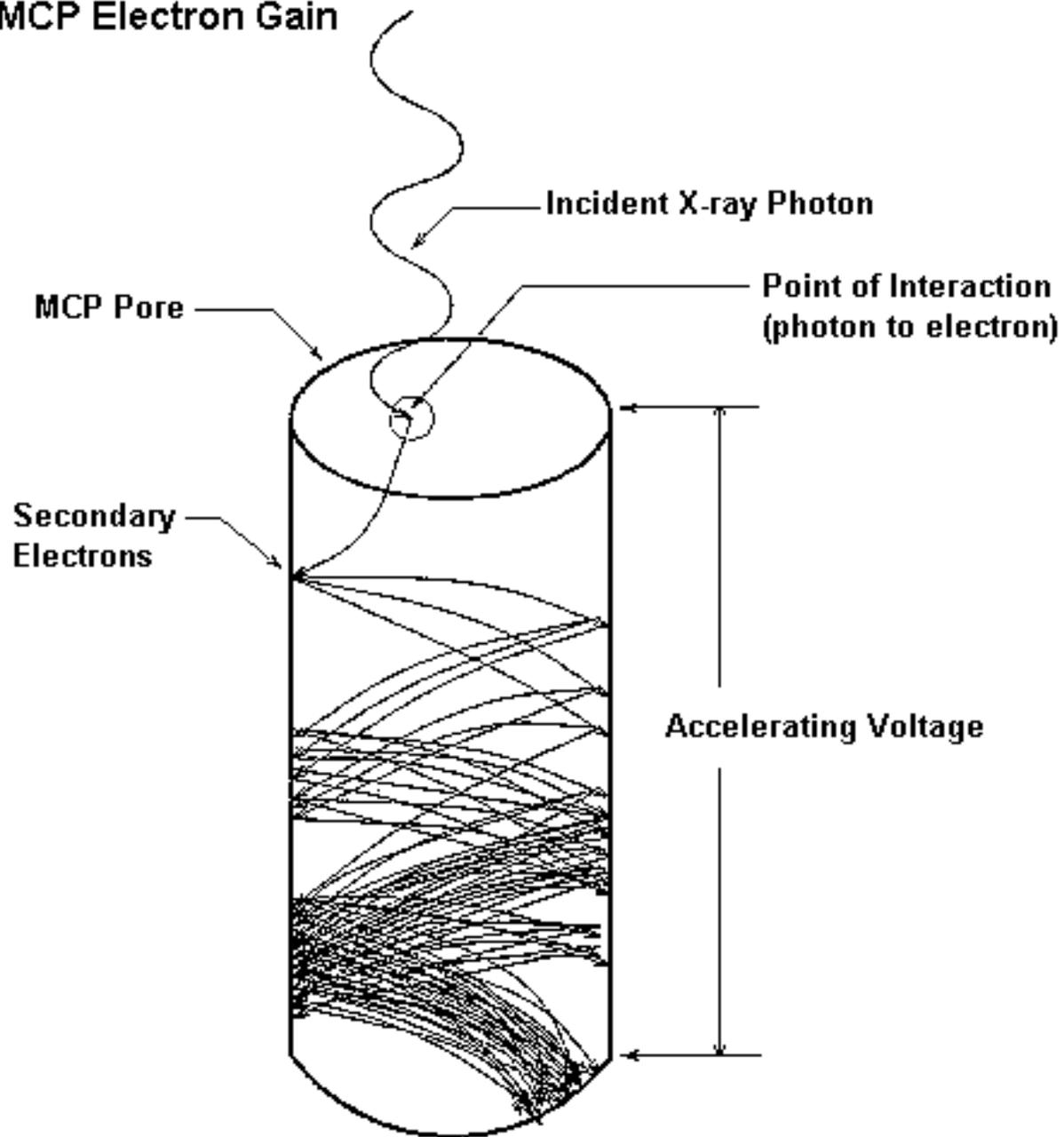
# Efficiency versus Energy



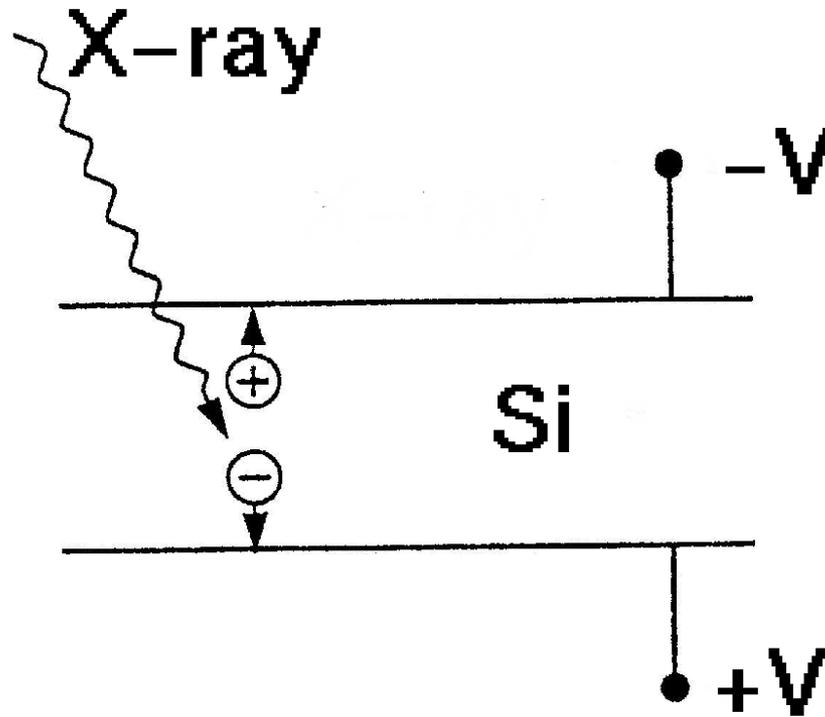
# Microchannel Plates



# MCP Electron Gain

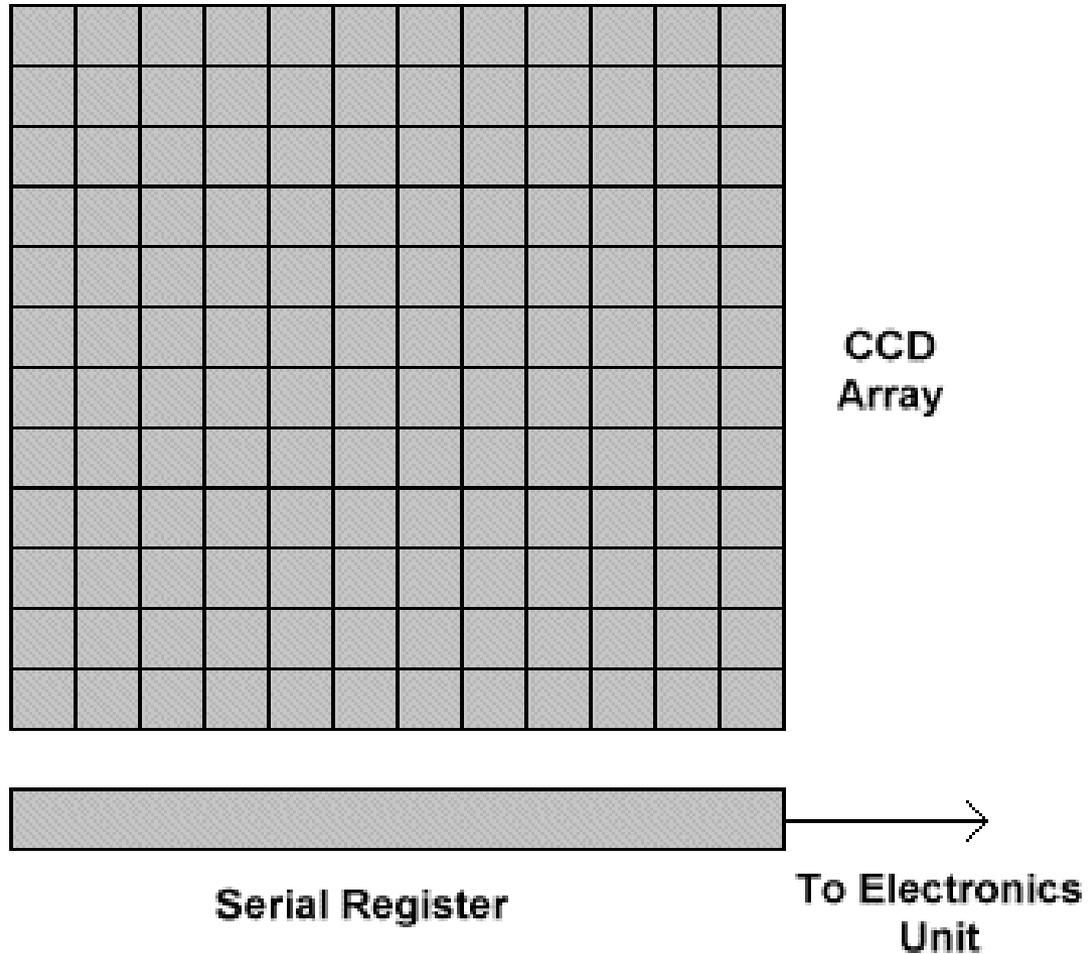


# Solid State X-ray Detectors

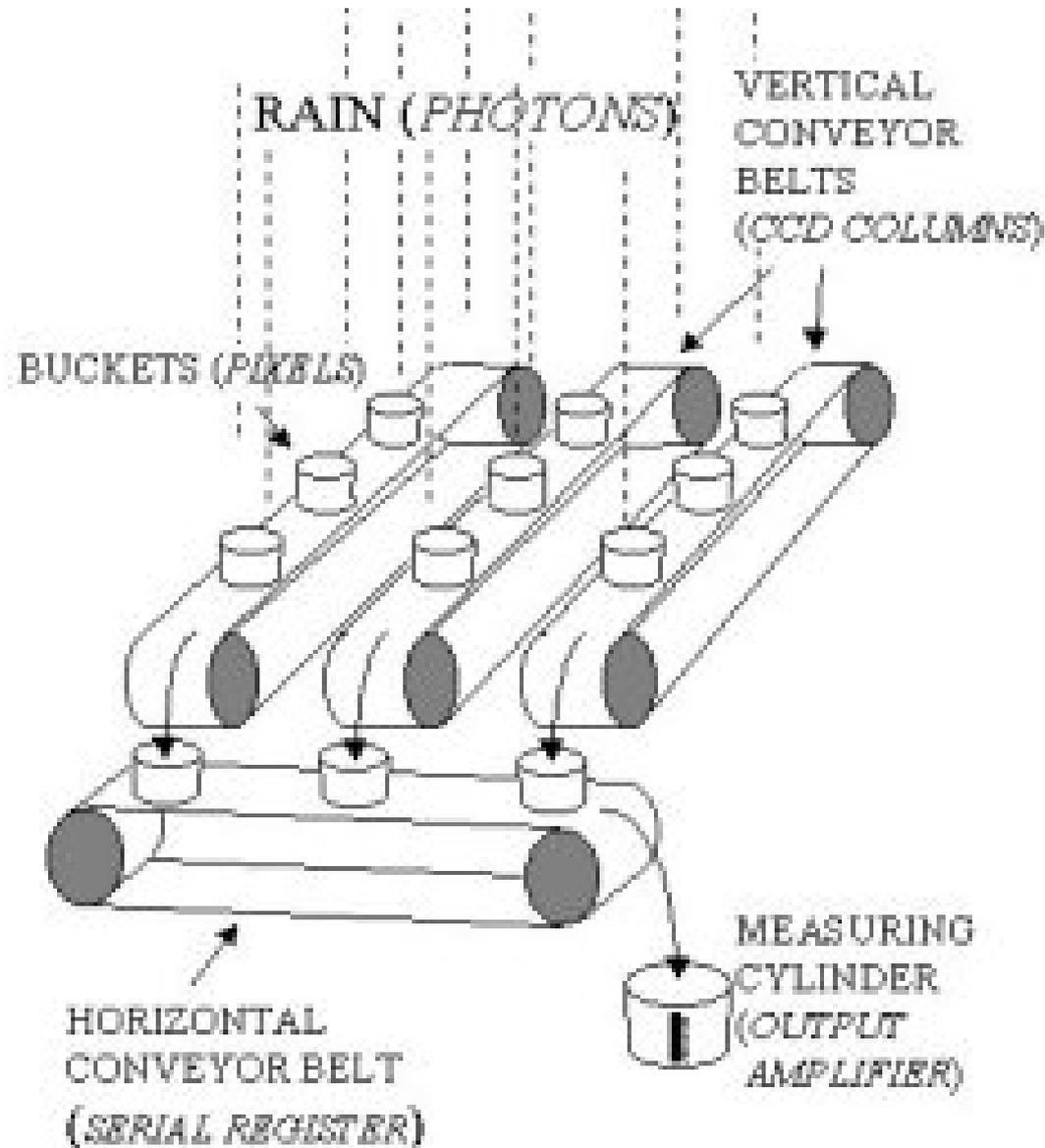


X-ray interacts in material to produce photoelectrons which are collected by applying a drift field

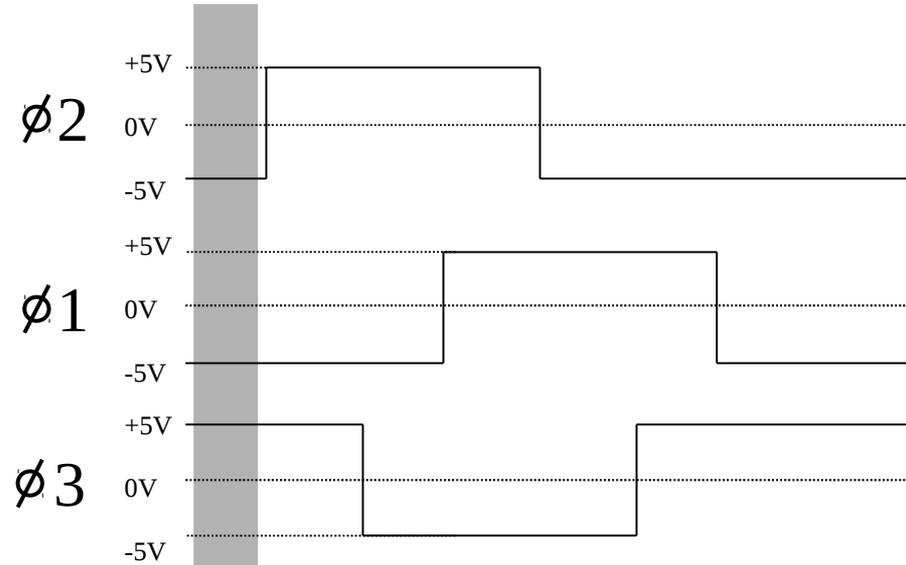
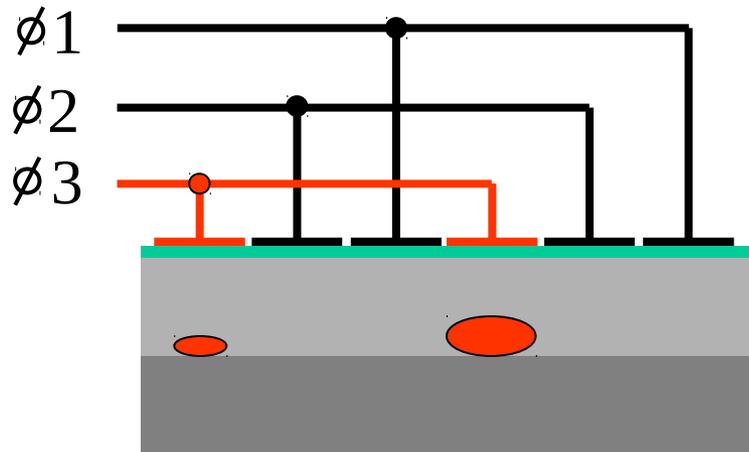
# Charge Coupled Devices



# Charge Coupled Devices

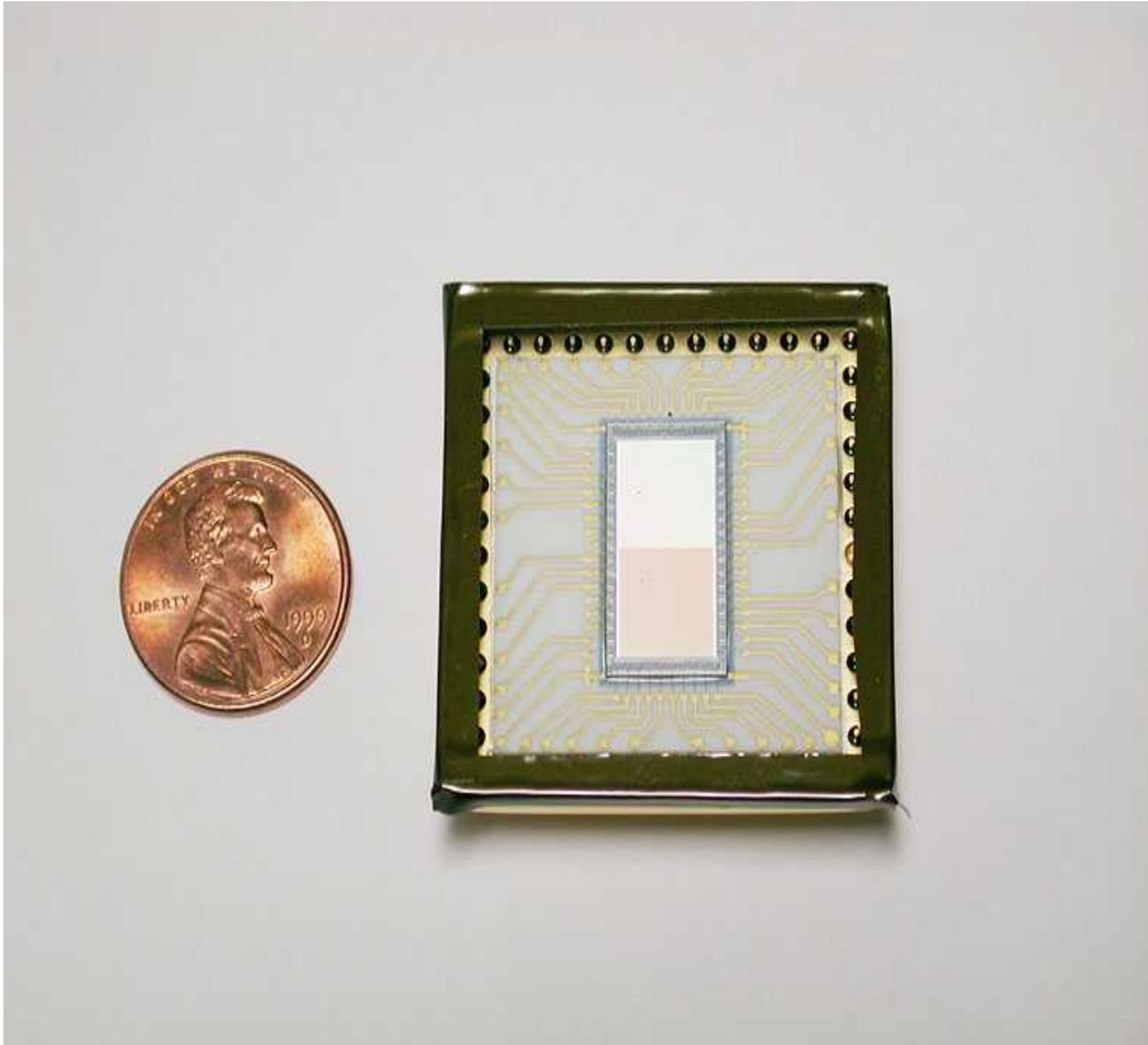


# Charge Transfer in CCDs

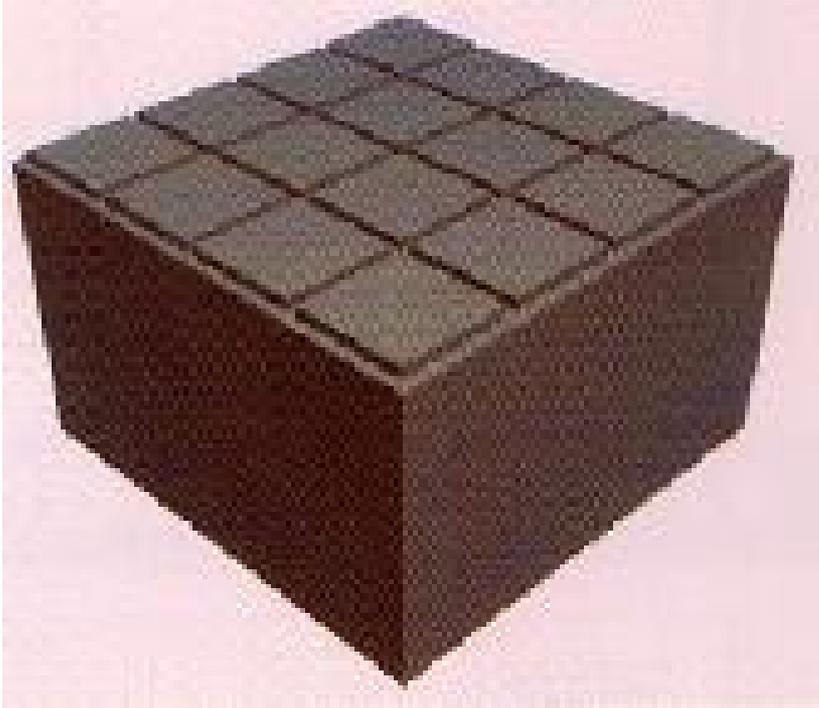


Time-slice shown in diagram

# Frame Store CCD



# Pixelated Detectors



CCDs have small pixel sizes, good energy resolution, and a single readout electronics channel, but are slow, thin ( $< 300$  microns), and only made in Si.

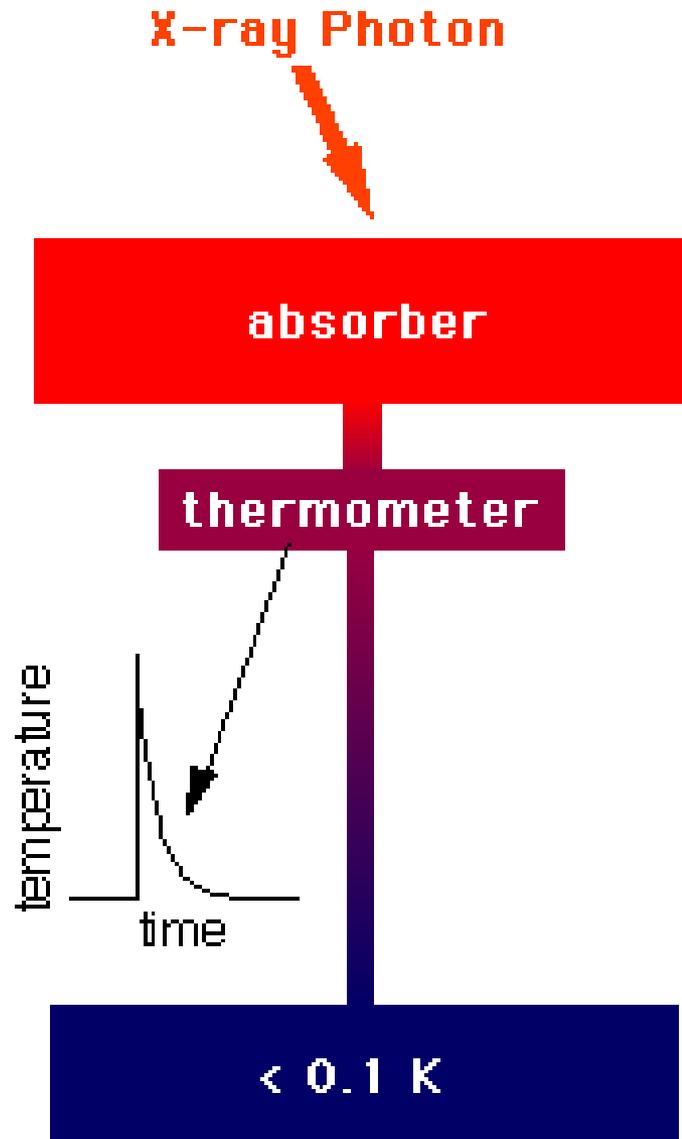
Pixelated detectors have larger pixel sizes, require many electronics channels, but are fast and can be made thick and of various materials – therefore can be efficient up to higher energies

# Energy Resolution

Energy resolution obeys same equation as for proportional counters, but average ionization energy is much smaller than for gases

Material	$w$ (eV)	Fano factor	$\Delta E$ @ 6 keV (eV)
Ar	26.2	0.17	600-1200
Xe	21.5	0.17	600-1200
Si	3.62	0.115	120-250
Ge	2.96	0.13	112
CdTe	4.4	0.11	130-2000

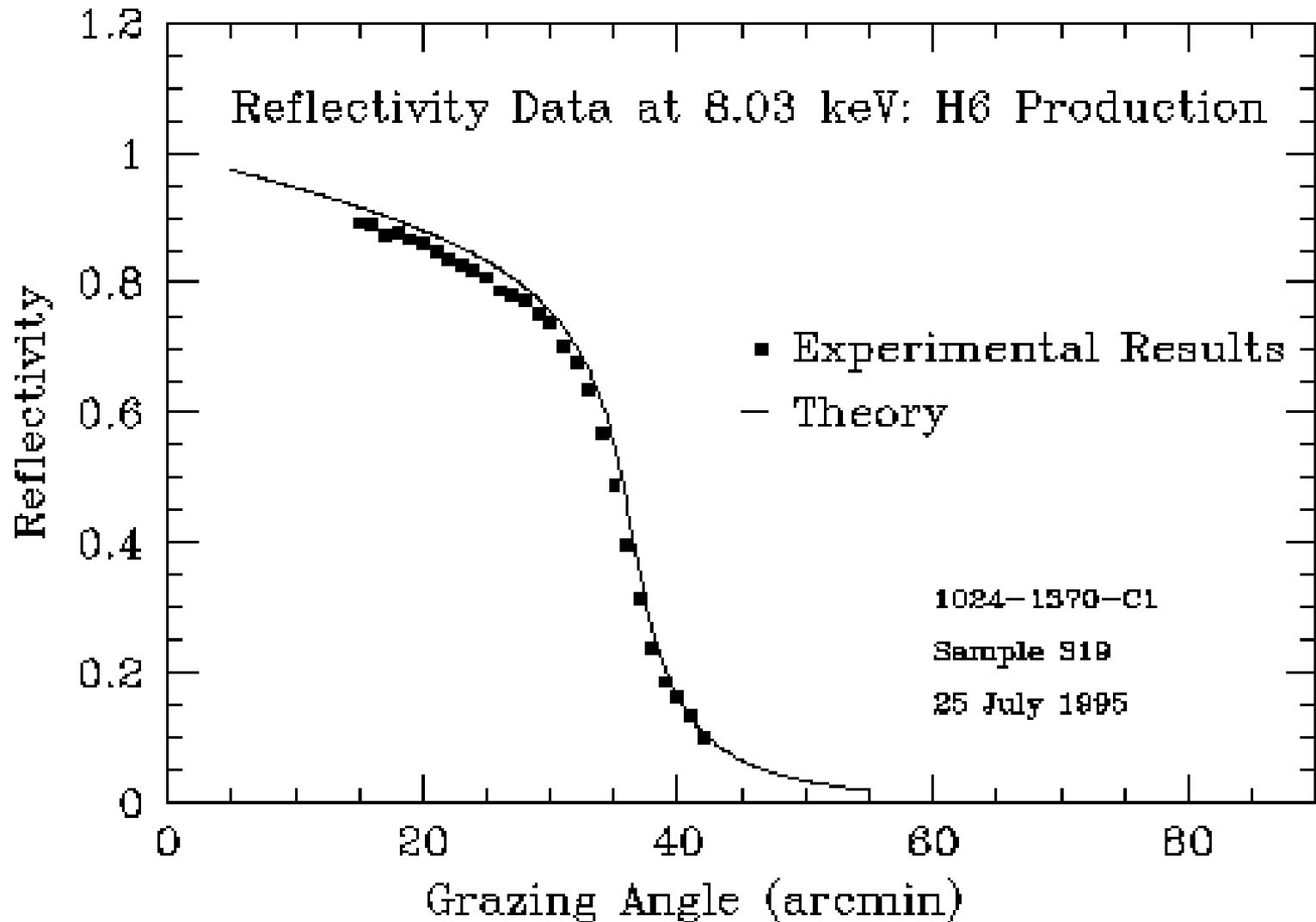
# Microcalorimeters



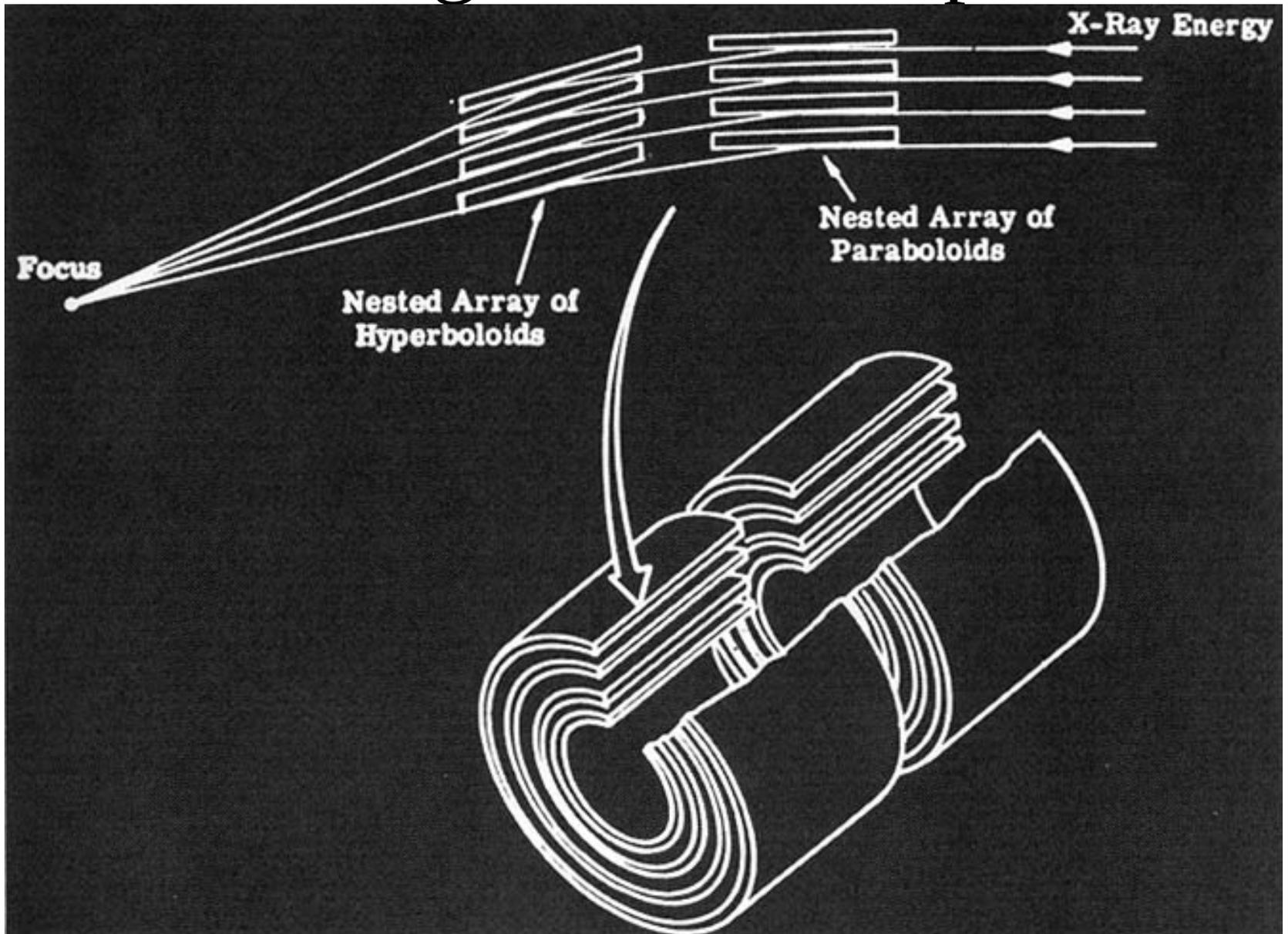
$$\Delta E = 6 \text{ eV}$$

@ 6 keV

# X-Ray Reflectivity



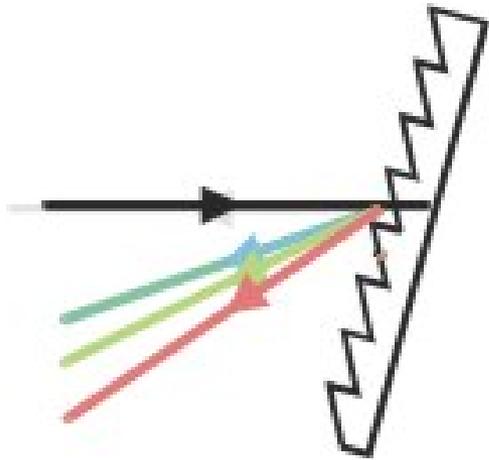
# Grazing Incidence Optics



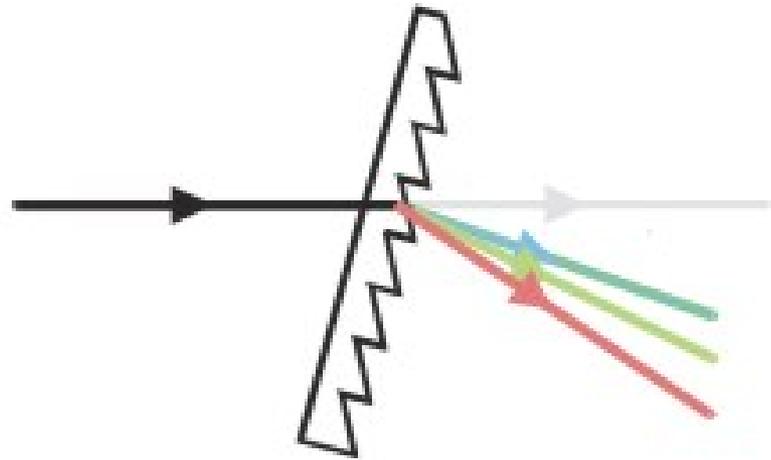
# Scientific Gains from Imaging

- Increase S/N and thus sensitivity
  - Reduce source area and thus the associated background
- Allow more accurate background estimation
  - Take background events from the immediate vicinity of a source
- Enable the study of extended objects
  - Structures of SNR, clusters of galaxies, galaxies, diffuse emission, jets, ...
- Minimize source confusion
  - E.g., source distribution in galaxies
- Provide precise positions of sources
  - Identify counterparts at other wavelengths

# Gratings



Reflection grating



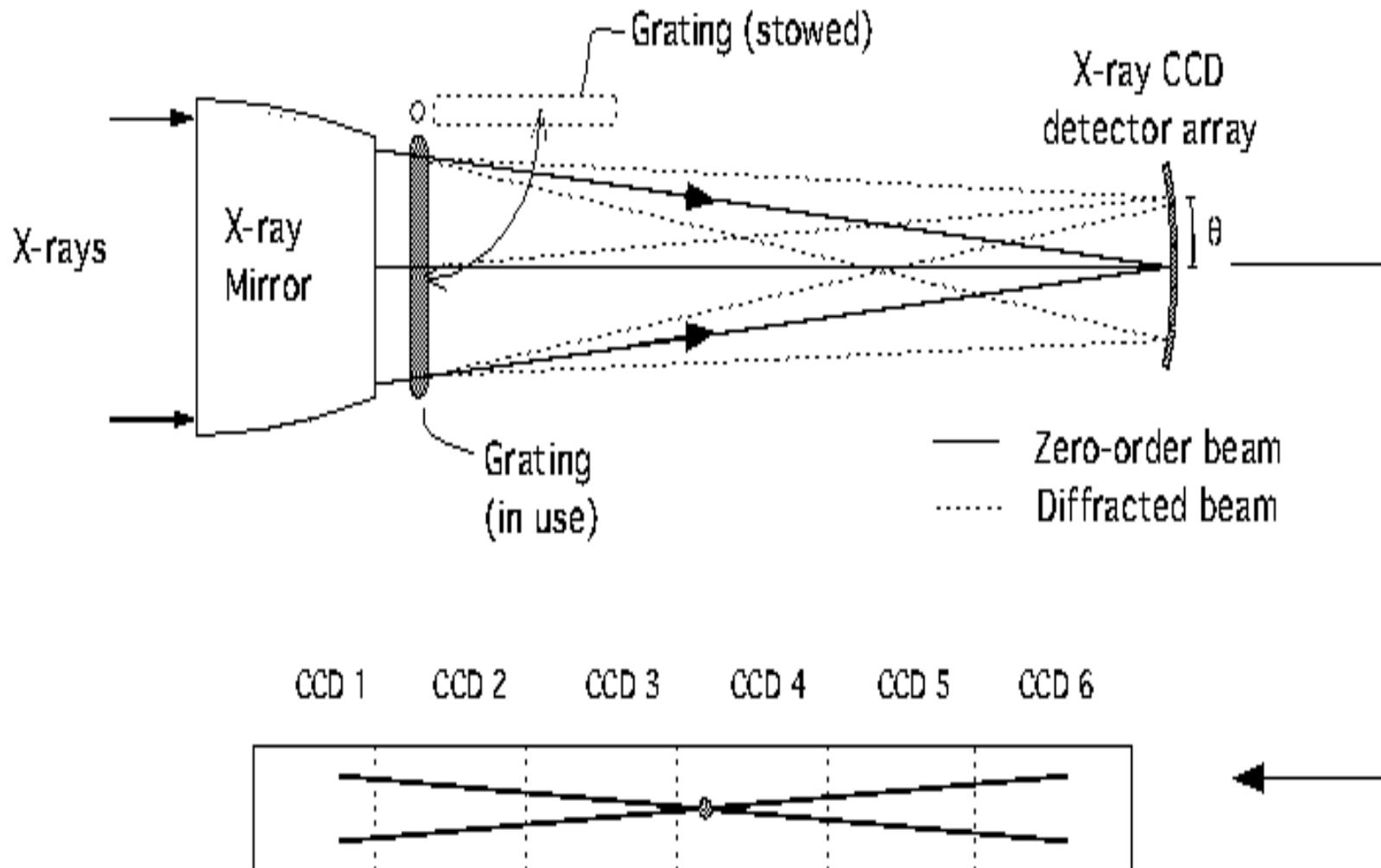
Transmission grating

$$\sin \alpha + \sin \beta = -\frac{m\lambda}{d}$$

$\alpha$  = incidence angle,  $\beta$  = diffraction angle,  $\lambda$  = wavelength,  $m$  = diffraction order (1, 2, ...),  $d$  = groove spacing

For X-ray diffraction need  $d \sim 0.1 - 1 \mu\text{m}$

# Gratings



# Chandra

