

• for problems in free-fall with $v_i = 0$, then $a = g (= 10 \text{ m/s}^2)$ $\rightarrow v_f = g t$ and $y_f = \frac{1}{2} g t^2$



Example Problem: An object is dropped from rest from a height of 20 m above the ground. (a) How long will it take to reach the ground? (b) What is its velocity as it hits the ground? (b) What is its velocity, $v_i = 0$ $y_f = \frac{1}{2} g t^2$, v = g t(a) $t = \sqrt{\frac{2y_f}{g}} = \sqrt{\frac{2 \times 20 \text{ m}}{10 \text{ m/s}^2}} = \sqrt{4 \text{ s}^2} = 2 \text{ s}$ (b) $v_f = g t = 10 \text{ m/s}^2 \times 2 \text{ s} = 20 \text{ m/s}$











Demonstration We can show that the horizontal and vertical motions are independent The red ball was released and falls vertically down The yellow ball was given a kick to the right. They track each other vertically step for step and hit the ground at the same time



















key points-continued

- 6) At the very top of the path the vertical component of velocity is ZERO
- 7) On the falling portion of the path the vertical velocity increases
- 8) When the projectile lands it will have the same vertical speed as it began with
- The time it takes to get to the top of its path is the same as the time to get from the top back to the ground
- 10)The range of the projectile (horizontal distance travelled) depends on its initial speed and angle of elevation ¹⁹



Maximum Range

- When an artillery shell is fired the initial speed of the projectile depends on the explosive charge which cannot be easily changed
- The only control is setting the angle of elevation.
- You can control the range (where it lands) by changing the angle of elevation
- To get maximum range set the angle to 45°



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