

# College Physics I: 1511

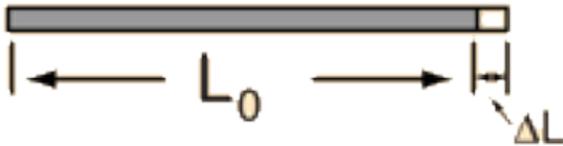
## Mechanics & Thermodynamics

Professor Jasper Halekas  
Van Allen Lecture Room 1  
MWF 8:30-9:20 Lecture

# Announcements

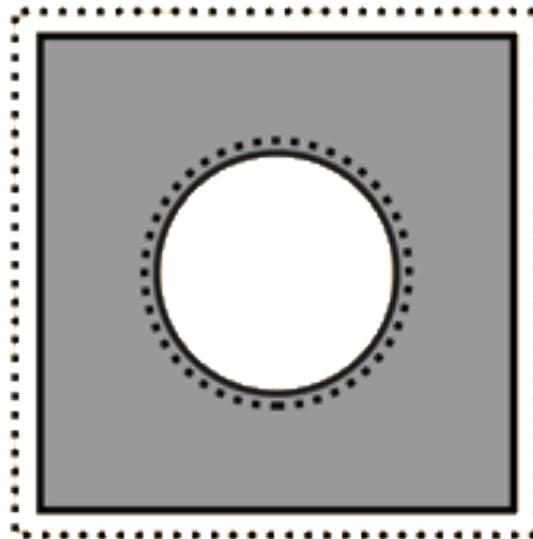
- All students have now taken exam 2
- The exam and solutions are posted on the “Notes” page
- Let me know if any questions

# Thermal Expansion (or Contraction)



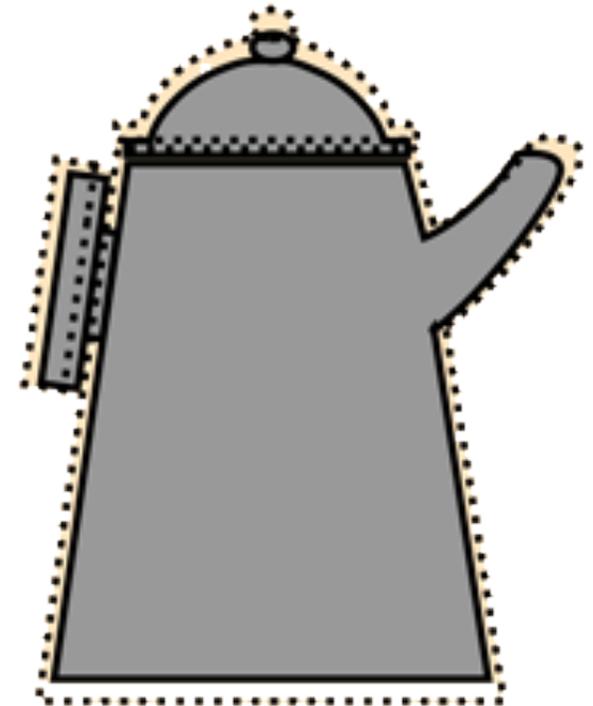
Linear expansion

$$\frac{\Delta L}{L_0} = \alpha \Delta T$$



Area expansion

$$\frac{\Delta A}{A_0} = 2\alpha \Delta T$$



Volume expansion

$$\frac{\Delta V}{V_0} = 3\alpha \Delta T = \beta \Delta T$$

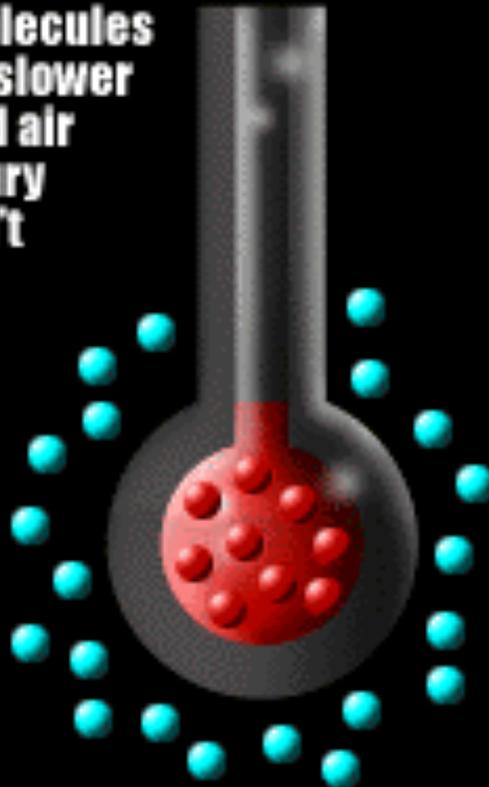
# Thermometers

Air molecules collide with thermometer, their energy is transferred to mercury inside

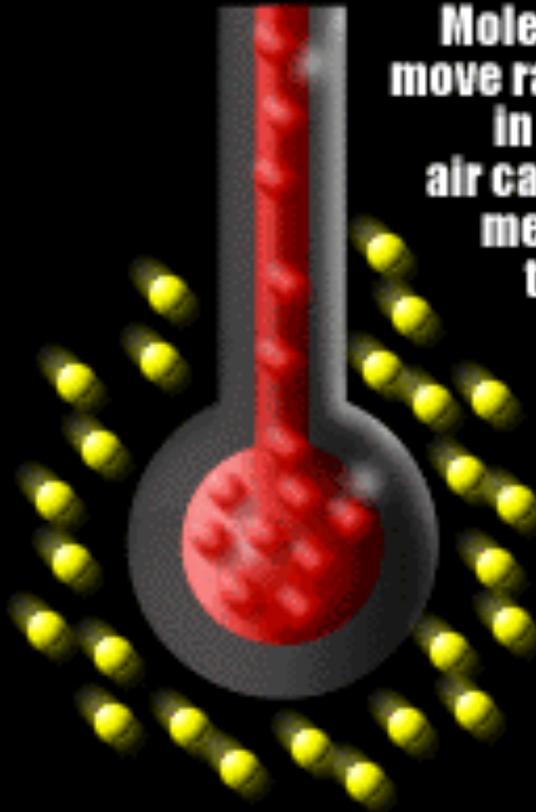
**COLD:** Less kinetic energy

**WARM:** More kinetic energy

Air molecules move slower in cold air mercury doesn't rise



Molecules move rapidly in warm air causing mercury to rise



# Definition: Heat

- Heat is thermal energy in transit (flowing from hot to cold) from one body or substance to another
- The symbol usually used for heat is  $Q$
- Units of heat are Joules

# Heat Vs. Temperature

- Temperature is a measure of the average thermal energy of a substance
- Heat is the transfer of thermal energy
  - At least, this is the physics definition!
- This seems strange, but actually makes sense
  - You cannot feel the thermal energy of a substance unless it is transferred to you!

# Heat is Energy

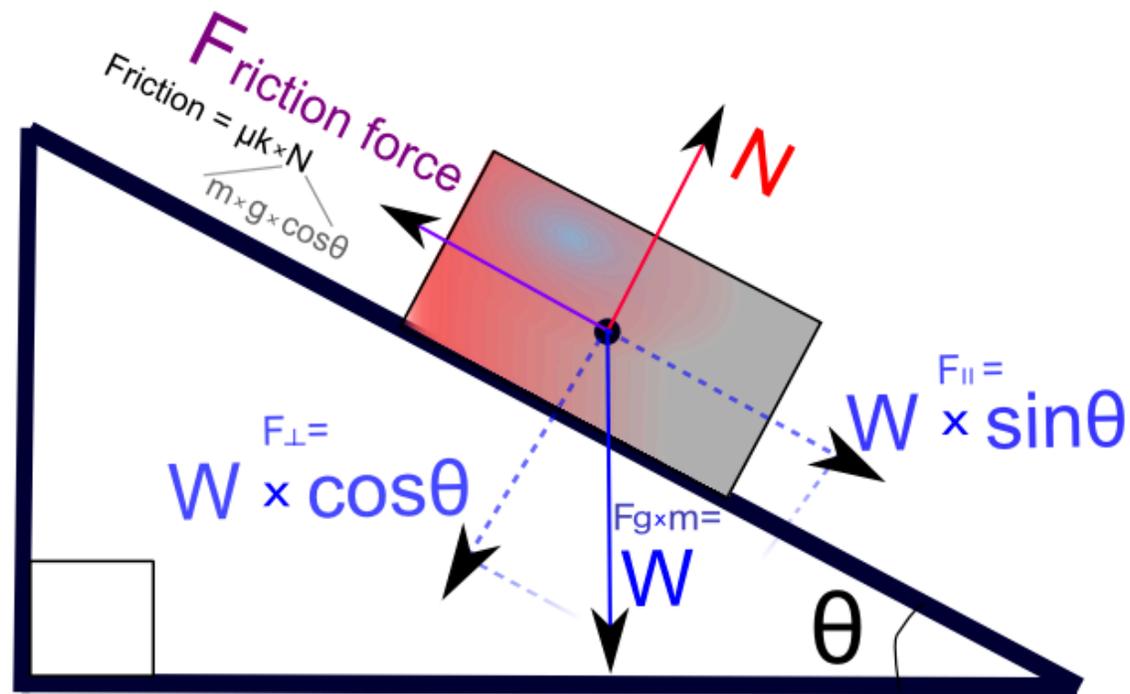
$$\begin{array}{ccccccccc} \underline{E} & = & \underline{\frac{1}{2}mv^2} & + & \underline{\frac{1}{2}I\omega^2} & + & \underline{mgh} & + & \underline{\frac{1}{2}kx^2} \\ \text{Total} & & \text{Translational} & & \text{Rotational} & & \text{Gravitational} & & \text{Elastic} \\ \text{mechanical} & & \text{kinetic} & & \text{kinetic} & & \text{potential} & & \text{potential} \\ \text{energy} & & \text{energy} & & \text{energy} & & \text{energy} & & \text{energy} \end{array}$$

When mechanical energy is not conserved, where does the excess energy go??

Often it goes into heat!

# Non-Conservative Forces

- $\Delta E = W_{\text{NC}}$

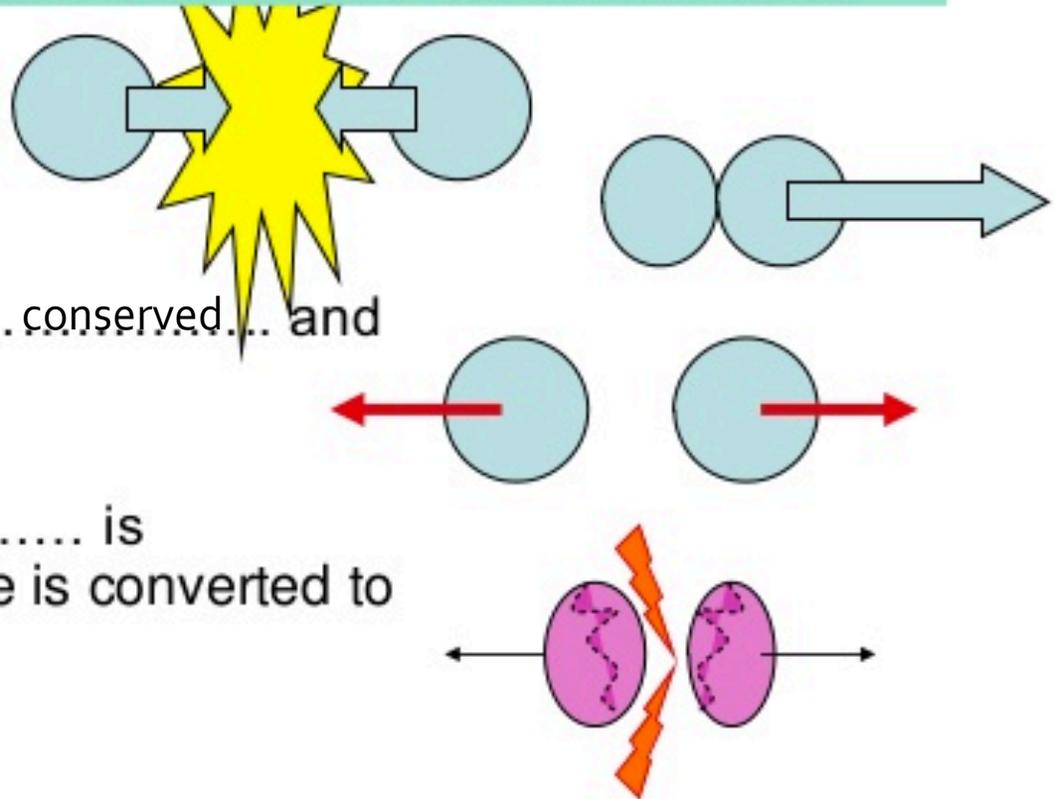


# Inelastic Collisions

## Elastic & Non-elastic Collisions

Collisions can either be:

- Elastic** (...KE.. is ...conserved... and no energy lost)
- Inelastic** (...<sup>KE</sup>..... is .....<sub>lost</sub>..... - some is converted to heat, sound etc)



# Heat and Temperature

- Question: What happens to the temperature of an object or substance when you transfer heat to it?
- The answer depends on the phase of the material and its structure

# Definition: Specific Heat Capacity

- The specific heat capacity  $c$  is the ratio between the heat added and the product of the object's mass and the resulting temperature change
- $c = Q/(m\Delta T)$
- Units of  $c$  are  $J/(kg\ ^\circ C)$

# Specific Heat Equation

## Specific heat capacity

- This is the amount of energy needed to raise the temperature of 1kg of a material by 1°C

The diagram shows the equation  $Q = m \times c \times \Delta T$  inside a red rounded rectangle. Four blue arrows point from labels below to the variables in the equation:  $Q$  (Energy (J)),  $m$  (Mass (kg)),  $c$  (Specific heat Capacity ( $\text{J } ^\circ\text{C}^{-1} \text{kg}^{-1}$ )), and  $\Delta T$  (Change in temperature ( $^\circ\text{C}$ )).

$$Q = m \times c \times \Delta T$$

Energy (J)

Mass (kg)

Specific heat Capacity ( $\text{J } ^\circ\text{C}^{-1} \text{kg}^{-1}$ )

Change in temperature ( $^\circ\text{C}$ )

# Specific Heat Capacity

Material	Specific Heat Capacity [J/kg <sup>o</sup> C]
Water	4200
Alcohol	2500
Ice	2100
Aluminium	900
Concrete	800
Glass	700
Steel	500
Copper	400

Don't use these values in homework problems – only use values given in book!

# Concept Check



- I heat up two beakers, one which has only water, and one which has a block of lead in it (and less water). Which one will show a faster rise in temperature?
  - A. Beaker with water
  - B. Beaker with lead
  - C. Both will rise at the same rate

# Concept Check



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$$Q = mc\Delta T$$

$$\Rightarrow \Delta T = \frac{Q}{(mc)}$$

- bigger  $c$  means  
smaller  $\Delta T$

- takes more heat  
to change temperature  
if  $c$  is big

# Heat Capacity

<b>Material has a high specific heat capacity</b>	<b>Material has a low specific heat capacity</b>
It takes a longer time to be heated.	It becomes hot very quickly.
It does not lose heat easily.	It lose heat easily.
It is a heat insulator.	It is a good heat conductor.
Smaller rise in temperature	Greater rise in temperature

# Cooking Tips

- Metal = great for cooking
  - Heats up quickly, transfers energy to food being cooked
- Ceramics = better for baking
  - Heat up slowly, distribute heat evenly
- Ceramics = better for serving plates, cups, etc.
  - Don't get hot to the touch as easily, don't leach heat away from your food, keep liquids warm longer

# Heat Capacity of Water

- The specific heat capacity of water is  $\sim 4186 \text{ J}/(\text{kg } ^\circ\text{C})$
- Water has a very high heat capacity due to the strength of multiple hydrogen-oxygen bonds between water molecules

# Other Units of Heat

- One kilocalorie = 4186 J
- A kilocalorie is more commonly known as a “food calorie”
  - When you see # of calories on an item of food (in the US, at least), they are actually kilocalories
- One kilocalorie is the amount of heat needed to raise one kg of water by 1 Celsius degree

# Concept Check

- If you put a hot 1 kg bar of metal ( $c = 500 \text{ J}/(\text{kg } ^\circ\text{C})$ ) into 1 kg of cold water ( $c \sim 4200 \text{ J}/(\text{kg } ^\circ\text{C})$ ), how does the final temperature of the metal+ water compare to the initial temperatures?
  - A. Final temperature halfway between initial temperatures of water and metal
  - B. Final temperature closer to initial temperature of water
  - C. Final temperature closer to initial temperature of metal
  - D. Final temperature equal to initial temperature of water

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$$\text{Say } T_{m_0} = 100 \text{ C}$$

$$T_{w_0} = 40 \text{ C}$$

$T_f$  = final temperature

$$\Delta T_w = T_f - T_{w_0}$$

$$\Delta T_m = T_f - T_{m_0}$$

$$Q_w = m_w c_w \Delta T_w$$

$$Q_m = m_m c_m \Delta T_m$$

$$Q_w = -Q_m$$

$$m_w c_w \Delta T_w = -m_m c_m \Delta T_m$$

$$1 \cdot 4200 \cdot (T_f - 40) = 1 \cdot 500 \cdot (100 - T_f)$$

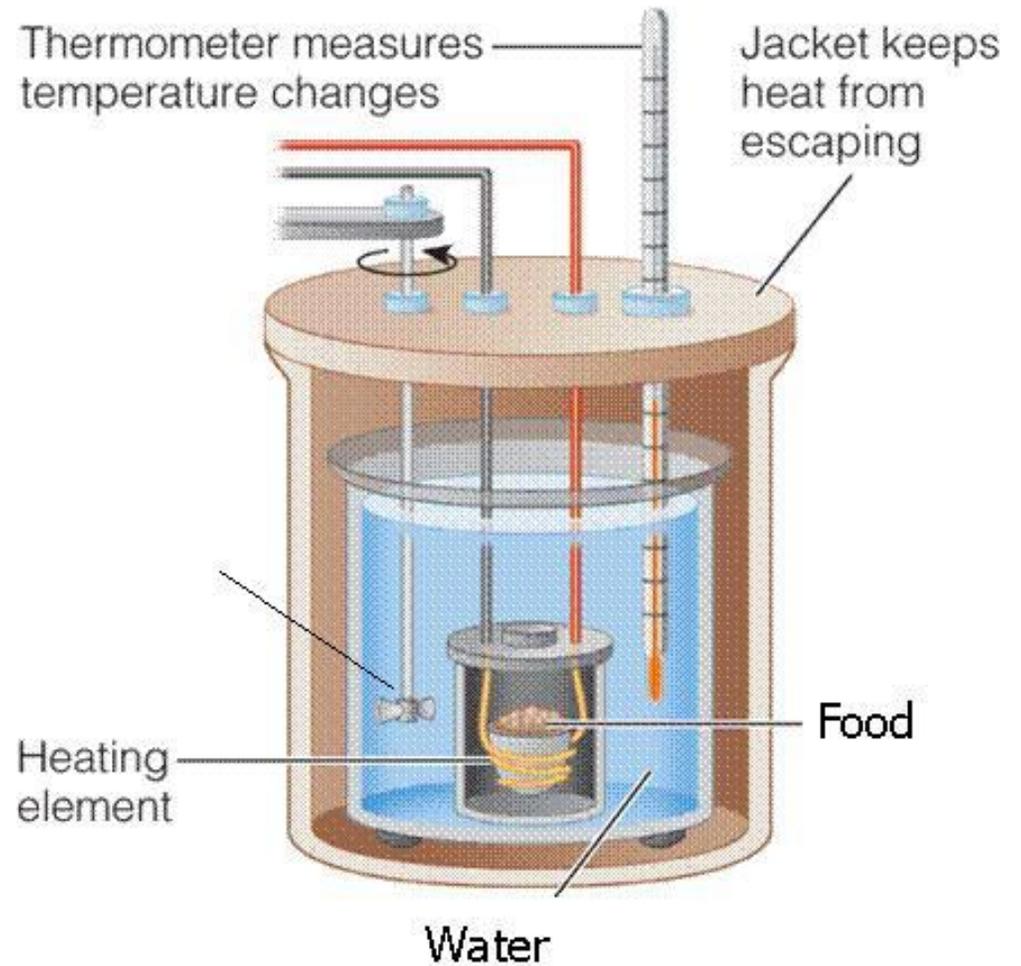
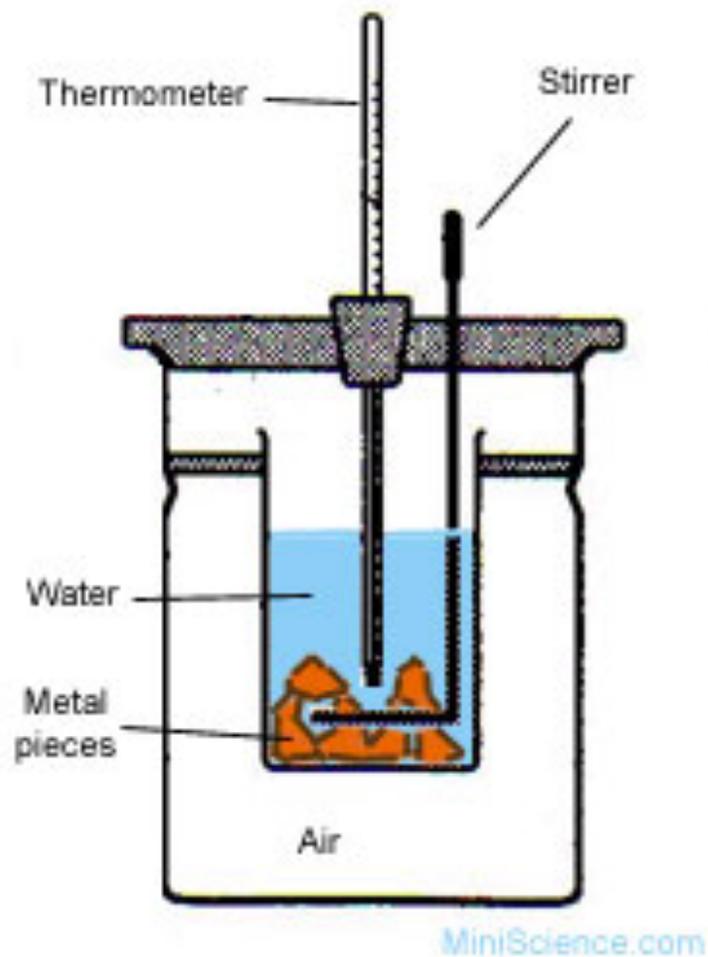
$$4200 T_f - 4200 \cdot 40 = 500 \cdot 100 - 500 T_f$$

$$4700 T_f = 500 \cdot 100 + 4200 \cdot 40$$

$$= 218,000$$

$$\Rightarrow T_f = \boxed{46.4^\circ \text{C}} \text{ Much closer to water}$$

# Calorimetry



# Advance Warning

- Specific heat capacity depends on the phase of a material
- For a gas, it also depends on whether you hold the gas at constant volume or at constant pressure

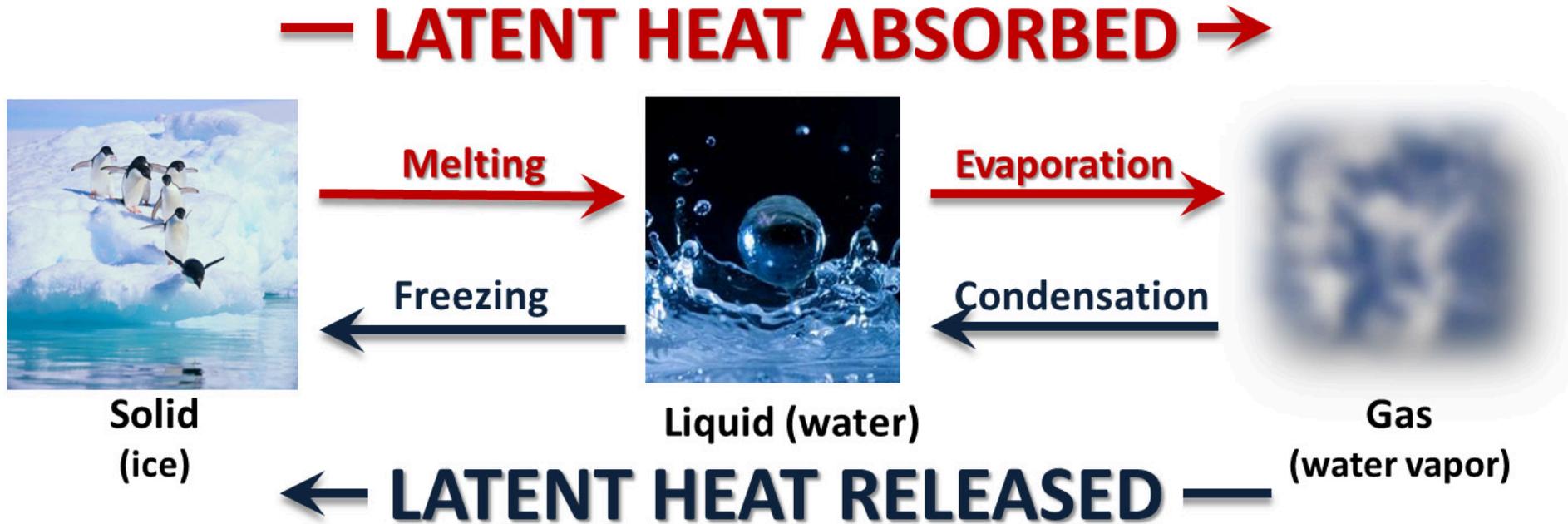
# Latent Heat

- In addition to the heat needed to change the temperature of a substance, it also takes heat to change the phase of a substance

$$Q = mL$$

Q = Heat Change	(J or Nm)
m = mass	(kg)
L = specific latent heat	(J kg <sup>-1</sup> )

# Latent Heat Flow



# Heating/Cooling Profile

