College Physics I: 1511 Mechanics & Thermodynamics

Professor Jasper Halekas Van Allen Lecture Room 1 MWF 8:30-9:20 Lecture

Announcements

- Final Equation sheet and sample Final (from last year) posted on "Notes" page
- Final will be in this room 8:00-10:00 pm on Monday 12/12
- Schedule for rest of semester
 - This week: Thermodynamics
 - Next Monday: Intro to Waves
 - Next Wed: Detailed review of post-midterm material
 - Next Friday: Full semester top-level review

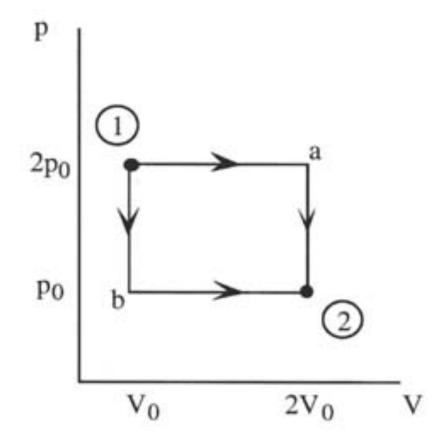
Ideal Gas Thermo Processes

$$\Delta U = Q - W$$

Process	ΔU	Q	W
Constant Volume (Isochoric)	3/2 nR ΔT (monatomic)	$3/2$ nR ΔT (monatomic)	0
Constant Pressure (Isobaric)	3/2 nR ΔT (monatomic)	5/2 nR ΔT (monatomic)	$P\Delta V = nR \Delta T$

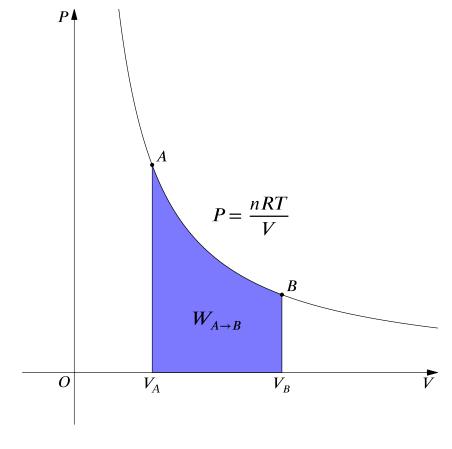
W, Q, and U along different paths

- ΔU only depends on end points
- W depends on path
- Q depends on path
- This can be exploited to convert work into heat and vice versa



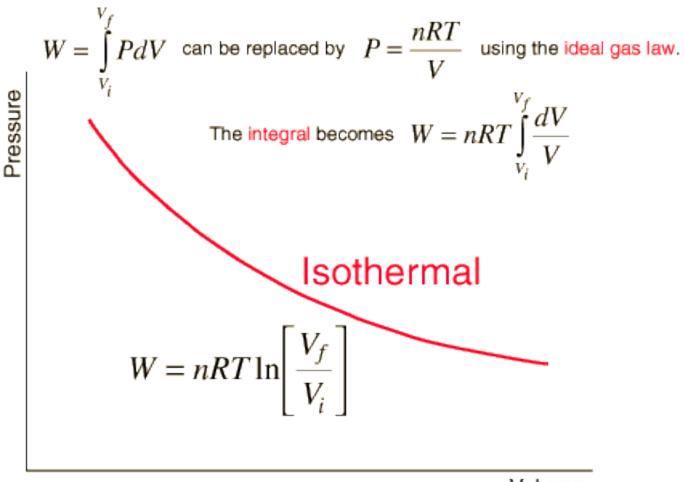
Work Done by Isothermal Gas

- Ideal gas means PV = nRT
 - Constant n & T => PV = constant



Work Done by Isothermal Gas

Since the temperature is constant, the pressure P in the work integral



Volume

Work Done by Isothermal Gas

- $V_f > V_i$
 - In $(V_f/V_i) > 0$
 - Work done by gas is positive
- $V_f < V_i$
 - In $(V_f/V_i) < 0$
 - Work done by gas is negative

 $\begin{aligned}
& \int Sa + hermal \\
& \Delta U = Q - W = 0 \\
& (DT = 0)
\end{aligned}$ $W = nRT \ln(V_{i})$

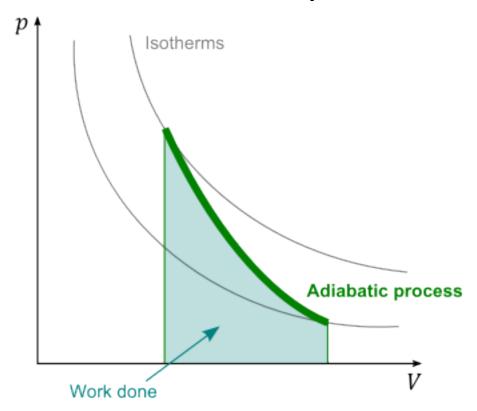
Q = W = nRT ln (V/Vi)

Heat Transferred to/from Isothermal Gas

- $\Delta U = Q W = o \text{ (since } \Delta T = o)$
- $Q = W = nRT ln(V_f/V_i)$
- All heat added to gas is used to do work
 - Or, vice versa, if converting work to heat

Definition: Adiabatic

 "Adiabatic" = a process during which no heat is transferred to/from a system



Work Done by Adiabatic Gas

- $\Delta U = Q W = -W$
- For monatomic gas U = 3/2 nRT
- If n constant, $\Delta U = 3/2$ nR ΔT
- W = $-\Delta U = -3/2$ nR ΔT

Adiabatic

 $\Delta U = Q - W$ $= -W \quad (Q = 0)$ For monatomic U = MRT $\text{Ff n constant} \quad \Delta U = MR\Delta T$ $W = -\Delta U = -324R\Delta T$

Adiabatic curve:

PV8 = const.

8 = Cecv > 1

For monetomic

8 = (5/2)/(3/2) = 5/3

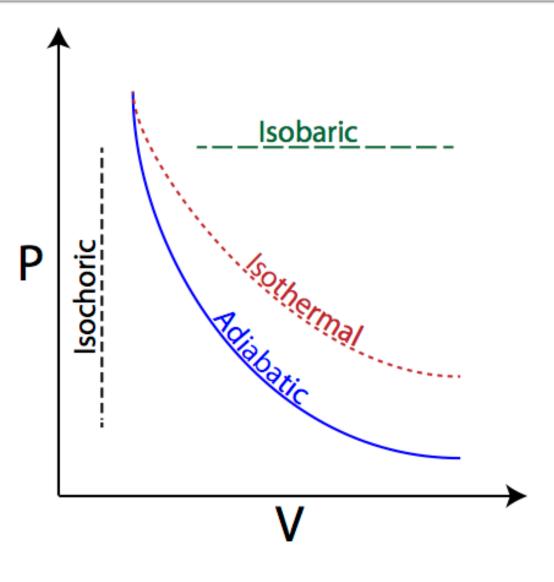
Adiabatic Condition

Adiabatic Processes

$$PV^{\gamma} = const.; \ \gamma = \frac{C_P}{C_V}$$

For monatomic gas:

$$\gamma = (5/2)/(3/2) = 5/3$$



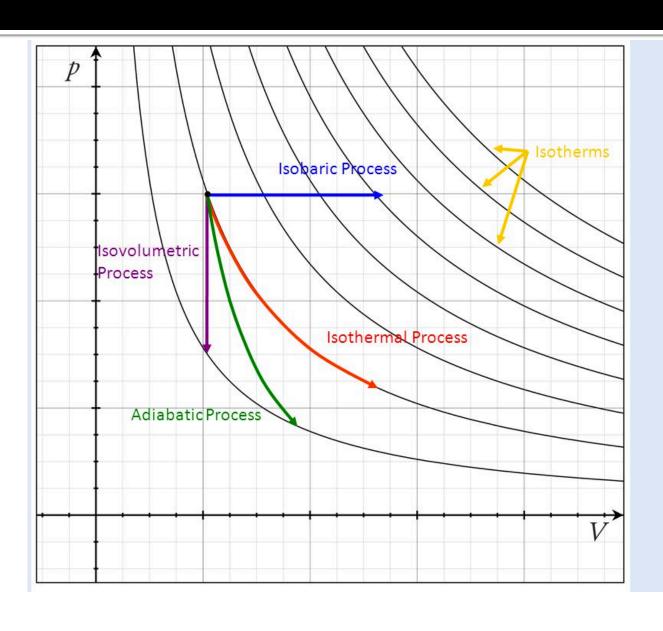
Concept Check

- If a gas expands (increases volume) adiabatically, what happens to its internal energy?
- A. Goes up
- B. Goes down
- C. Stays constant

Concept Check

- If a gas expands (increases volume) adiabatically, what happens to its internal energy?
- A. Goes up
- B. Goes down
- C. Stays constant

Isotherms



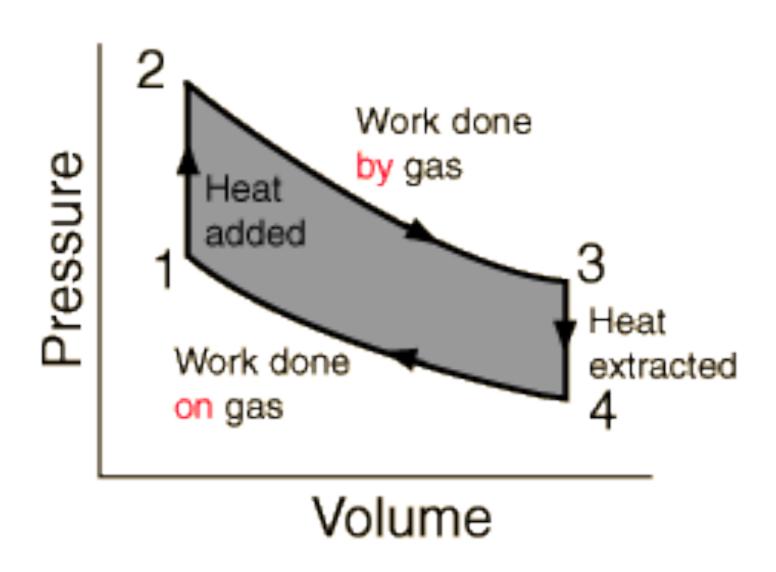
Pressure, Volume, Temperature for Adiabatic Process

- γ> 1 for any gas, so the adiabatic curve ("adiabat") on a PV diagram is steeper than an isotherm
- For a decrease in temperature, pressure goes down, volume goes up, and positive work is done by the gas
- For an increase in temperature, pressure goes up, volume goes down, and negative work is done by the gas (positive work is done on the gas)

Ideal Gas Thermo Processes

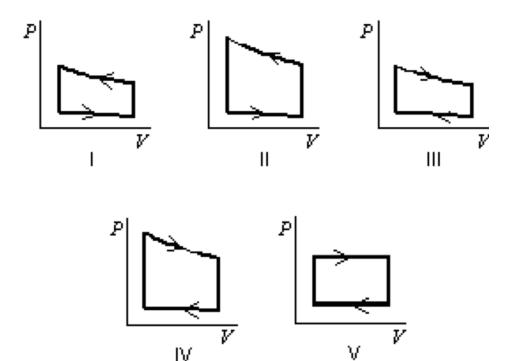
Process	ΔU	Q	W
Constant Volume	3/2 nR ΔT (monatomic)	3/2 nR ΔT (monatomic)	0
Constant Pressure	3/2 nR ΔT (monatomic)	5/2 nR ΔT (monatomic)	$P\Delta V = nR \Delta T$
Constant Temperature	0	nRT ln (V _f /V _i)	nRT In (V _f /V _i)
Adiabatic $(pV^{\gamma} = constant)$	3/2 nR ΔT (monatomic)	0	-3/2 nR ΔT (monatomic)

Work and Heat for Ideal Gas



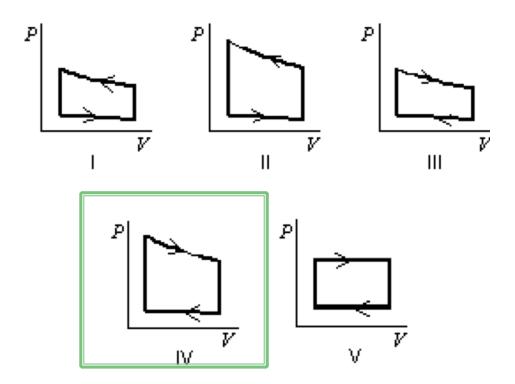
Concept Check

Q24) Pressure vs. volume graphs for a certain gas undergoing five different cyclic processes are shown to the right. During which cycle does the gas do the greatest positive work?

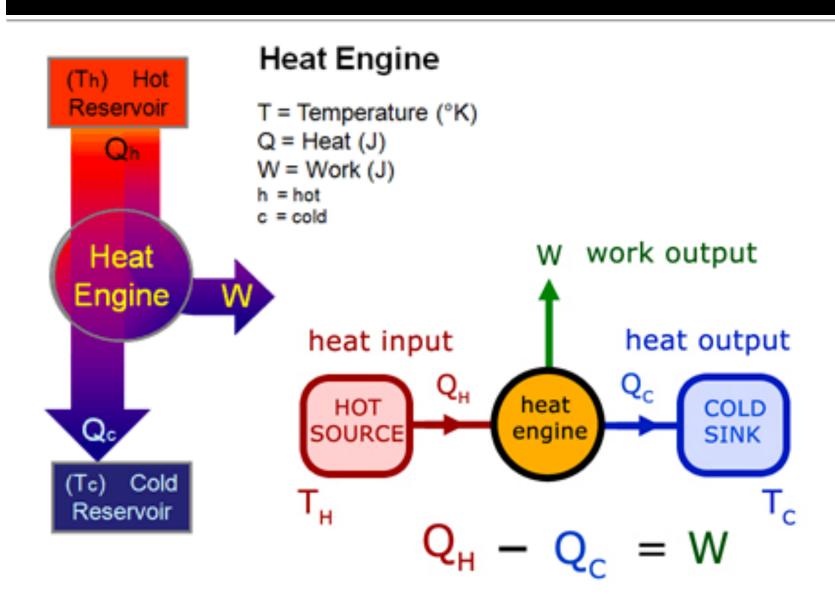


Concept Check

Q24) Pressure vs. volume graphs for a certain gas undergoing five different cyclic processes are shown to the right. During which cycle does the gas do the greatest positive work?



Heat Engines



Hero's Engine

- Works by heating water to produce steam which is expelled and converted to mechanical motion (which can do work)
- Steam is lost
- Not reversible!

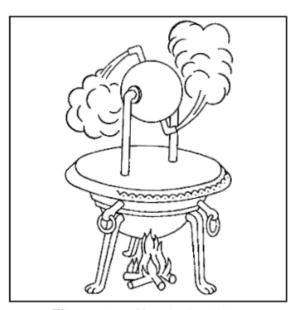
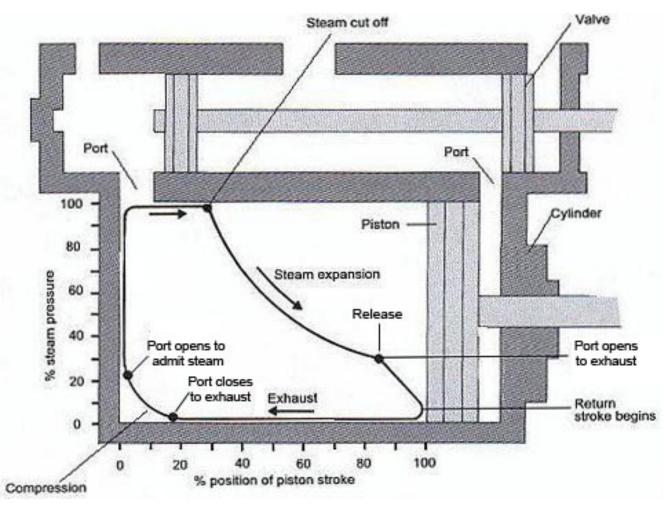


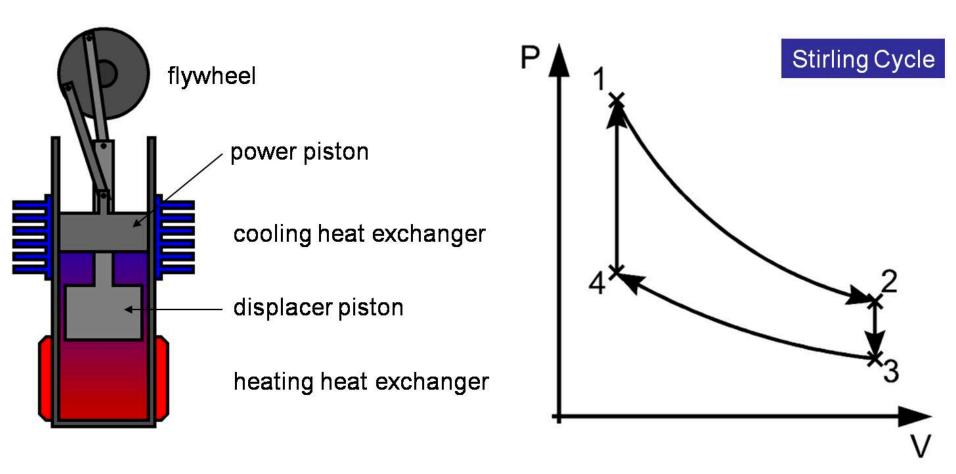
Figure 2-1. Hero's Aeolipile

Steam Engine



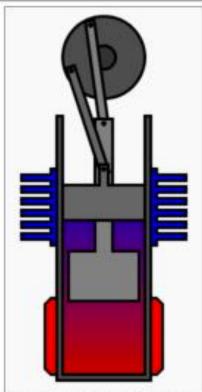
Steam is lost, must be replaced, not reversible

Stirling Engine

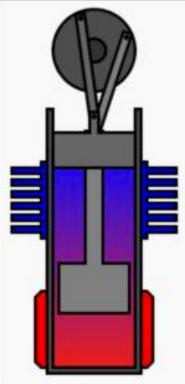


Stirling cycle is reversible in principle

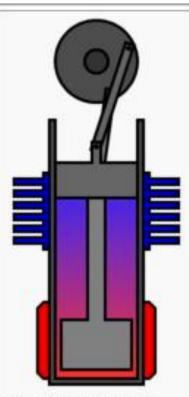
Stirling Cycle



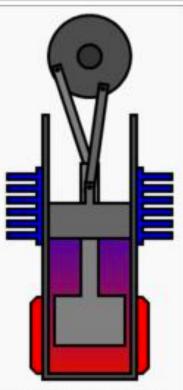
1. Power piston (dark grey) has compressed the gas, the displacer piston (light grey) has moved so that most of the gas is adjacent power stroke. to the hot heat exchanger.



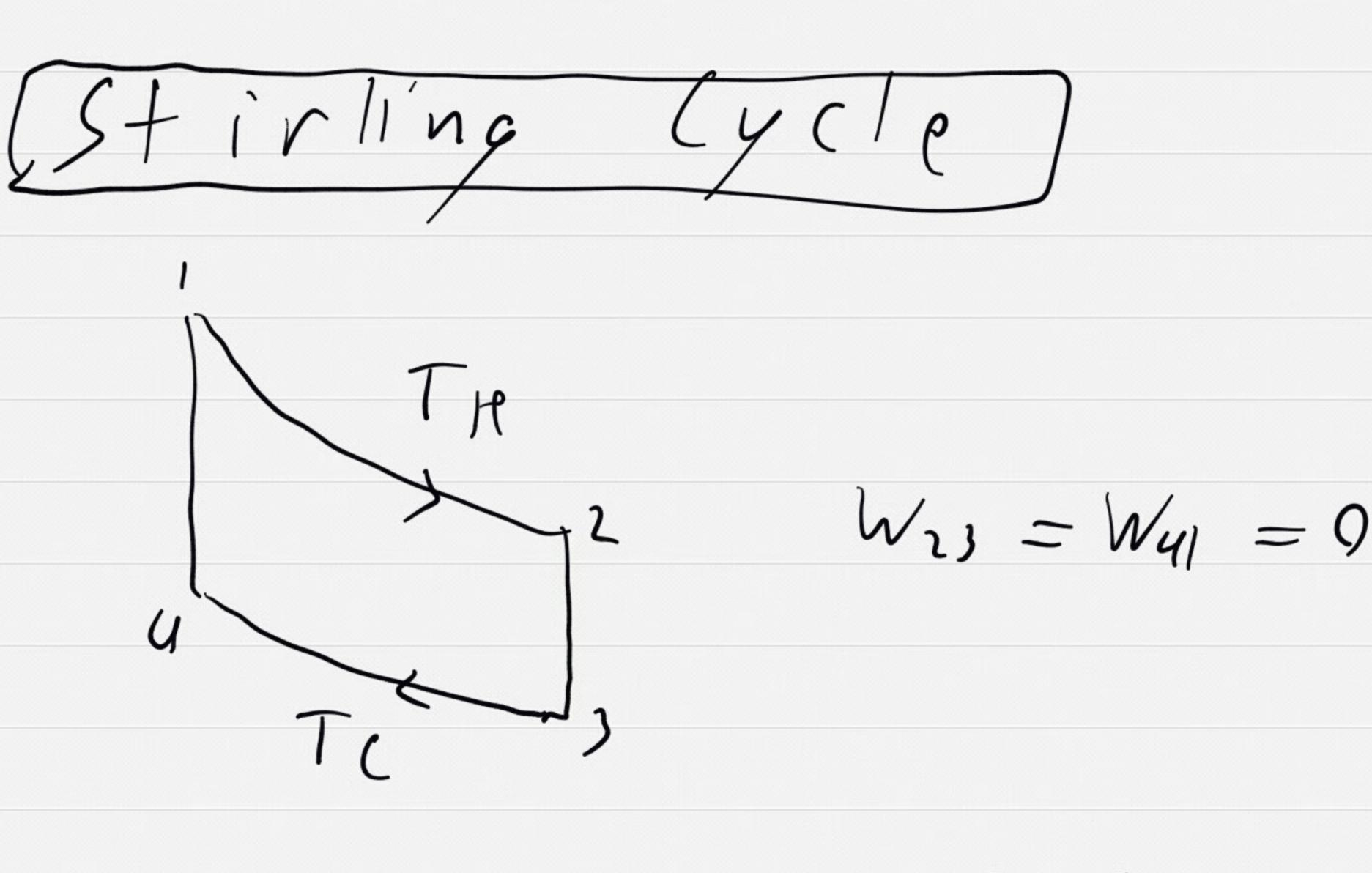
2. The heated gas increases in pressure and pushes the power piston to the farthest limit of the



3. The displacer piston now moves, shunting the gas to the cold end of the cylinder.



4. The cooled gas is now compressed by the flywheel momentum. This takes less energy, since when it is cooled its pressure dropped.



$$W_{12} = nRT_{H} \ln \left(\sqrt{v_{14}} \right)$$

$$= Q_{H} > 0$$

$$W_{34} = nRT_{C} \ln \left(\sqrt{v_{14}} \right)$$

$$= Q_{C} < 0$$

$$W_{tot} = W_{12} + W_{34}$$
 $= Q_{H} + Q_{C}$
 $= |Q_{H}| - |Q_{C}|$

Work Done in Stirling Cycle

$$W_{12} = nRT_H ln(V_{23}/V_{14}) = Q_H$$

$$W_{34} = nRT_C ln(V_{14}/V_{23}) = Q_C$$

$$W_{tot} = W_{12} + W_{34} = |Q_H| - |Q_C|$$

$$W_{tot}/Q_H = (|Q_H|-|Q_C|)/Q_H$$

$$W_{tot}/Q_H = (T_H - T_C)/T_H$$

