

Statistical Physics

PHYS:3730

<https://uiowa.instructure.com/courses/213176>

Thermodynamics

interactions of heat, work, energy

heat = fundamental form of energy

Statistical Mechanics:

thermodynamics from microscopic physics of many particles or degrees of freedom

heat = random motion of particles

Temperature: quantified by change in a measurable quantity, such as height of Hg, electrical resistance, etc.

Thermometer: object whose properties change with temperature

Thermal Equilibrium: When objects in contact reach the same temperature

Relaxation Time: the time it takes to reach thermal equilibrium

Heat: energy that flows spontaneously from hotter objects to colder objects for them to reach equilibrium

Temperature scales

Fahrenheit: freeze water at 32 °F *at 1 atm*
boil water at 212 °F *pressure*

Celsius: freeze water at 0 °C *at 1 atm*
boil water at 100 °C *pressure*

Kelvin: 0 K minimum *← limit low T*
steps of 1 °C
freeze water at 273.15 K

ideal gas
purely from measurements
empirical

Pressure: force per area

$$R = 8.31 \frac{J}{mol \cdot K}$$

$$[Pv] = \frac{F}{L^2} \cdot L^3 = F \cdot L$$

= energy

$$P V = n R T$$

Volume ↑ ↑ *Temperature in K*

number of moles. Amount
of stuff, now known to be
1 mol = 6.022×10^{23} molecules

$$\text{Avogadro's number} = N_A = 6.022 \times 10^{23}$$

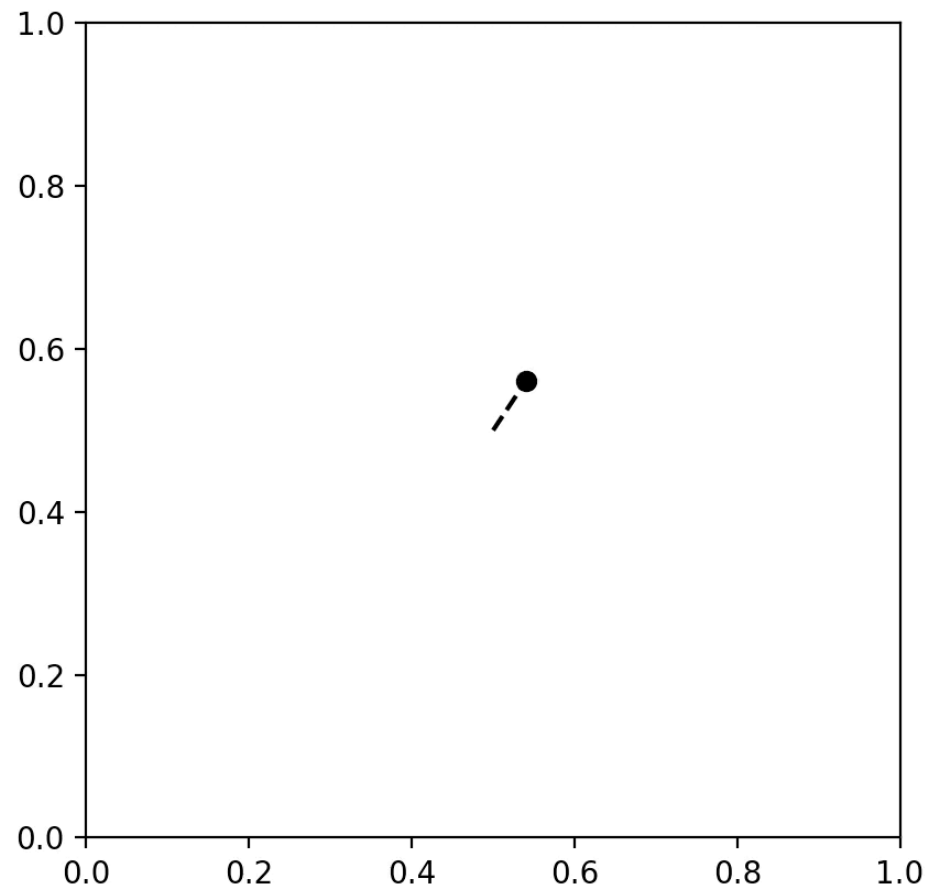
of molecules $N = n N_A$ $n = \#$ of moles
 $N_A = \text{Avogadro's } \#$

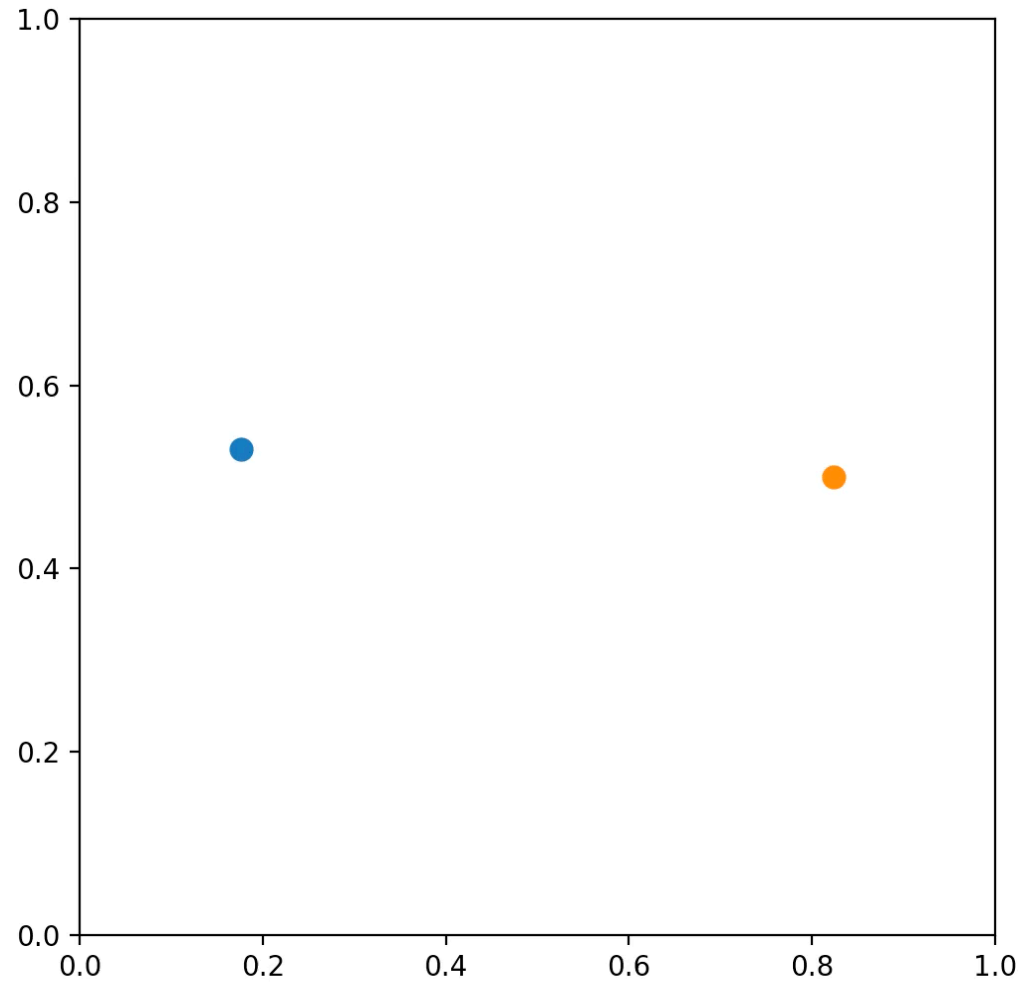
$$PV = N \left(\frac{R}{N_A} \right) T$$

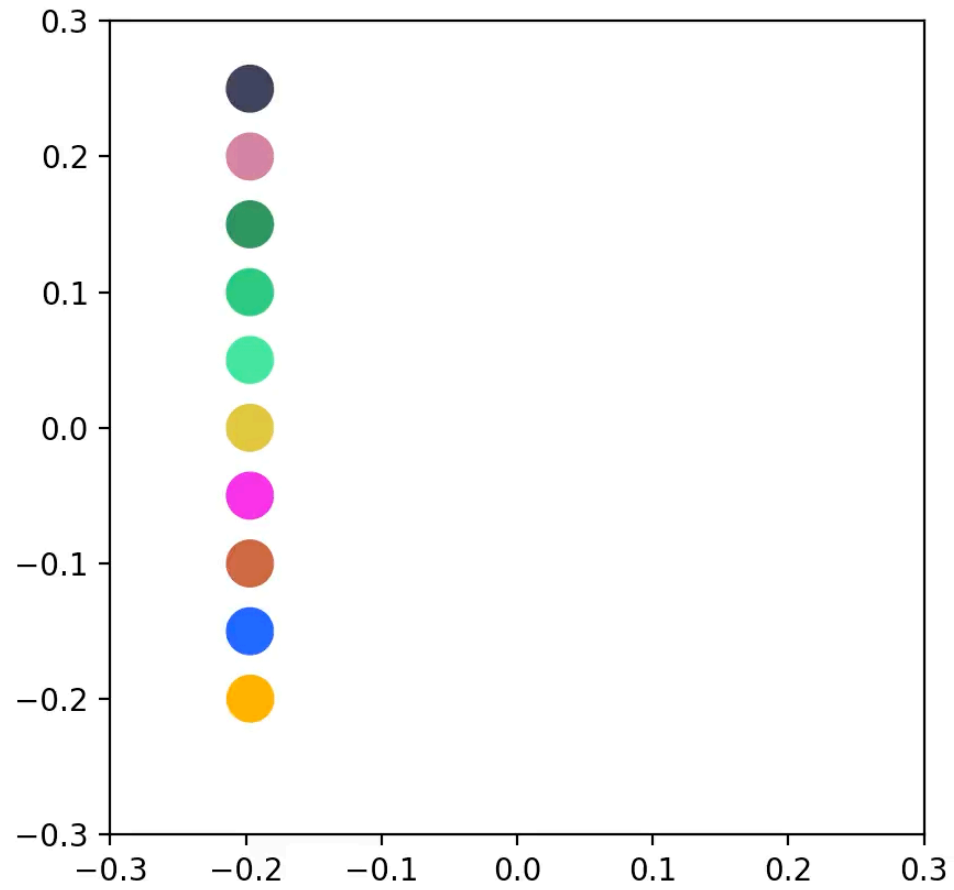
$$PV = N(k)T$$

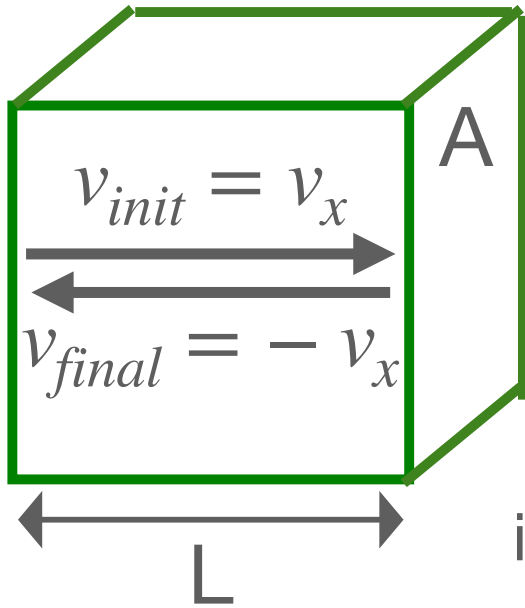
$$k = 1.381 \times 10^{-23} \text{ J/K} \quad \text{Boltzmann's constant}$$
$$= 8.617 \times 10^{-5} \text{ eV/K}$$











Assume a molecule makes many round trips before colliding with another molecule

time between collisions
with one wall

$$\Delta t = \frac{2L}{v_x}$$

impulse per collision: $\Delta p = m(v_x - (-v_x)) = 2v_x$

$$P = \frac{F_x}{A} = \frac{\Delta p / \Delta t}{A} = \frac{mv_x^2}{AL}$$

$$PV = Nm\overline{v_x^2} = NkT$$

$$KE = N \frac{1}{2} m \overline{v_x^2} = N \frac{1}{2} kT$$

$$KE = N \left(\frac{1}{2} m \overline{v_x^2} + \frac{1}{2} m \overline{v_y^2} + \frac{1}{2} m \overline{v_z^2} \right) = N \frac{3}{2} kT$$